



DIVERSITY OF THE LOCAL UNIVERSE

THE SPECIAL ASTROPHYSICAL OBSERVATORY OF THE RUSSIAN ACADEMY OF SCIENCES, NIZHNIJ ARKHYZ, RUSSIA
30 SEPTEMBER - 4 OCTOBER 2019

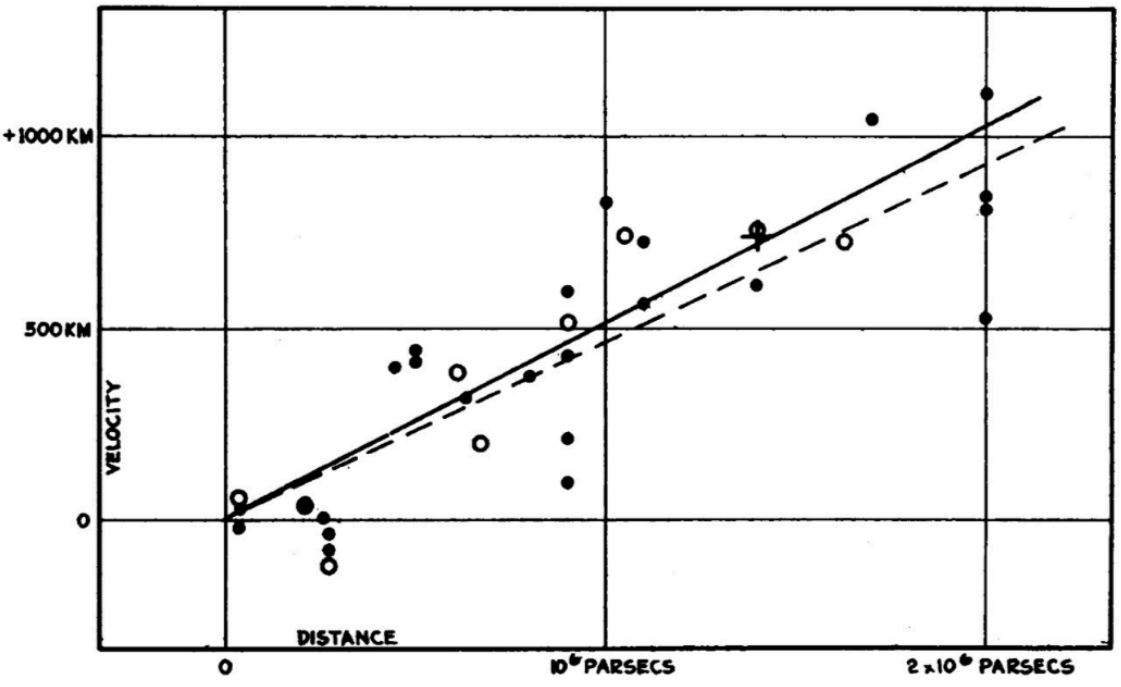
Revisiting the Local Hubble flow

Jean-Baptiste SALOMON

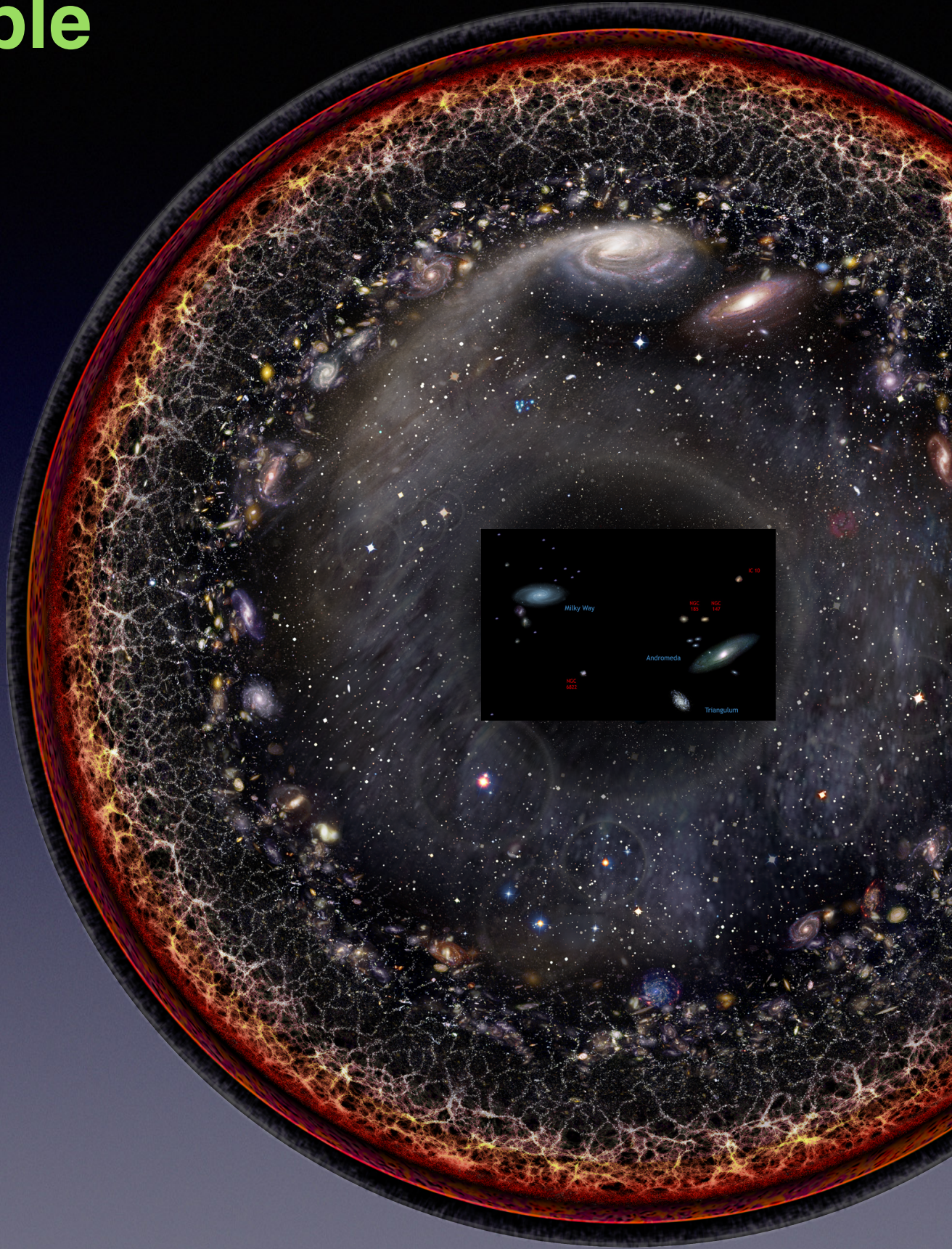
Observatoire de Besançon, Institut UTINAM, FRANCE



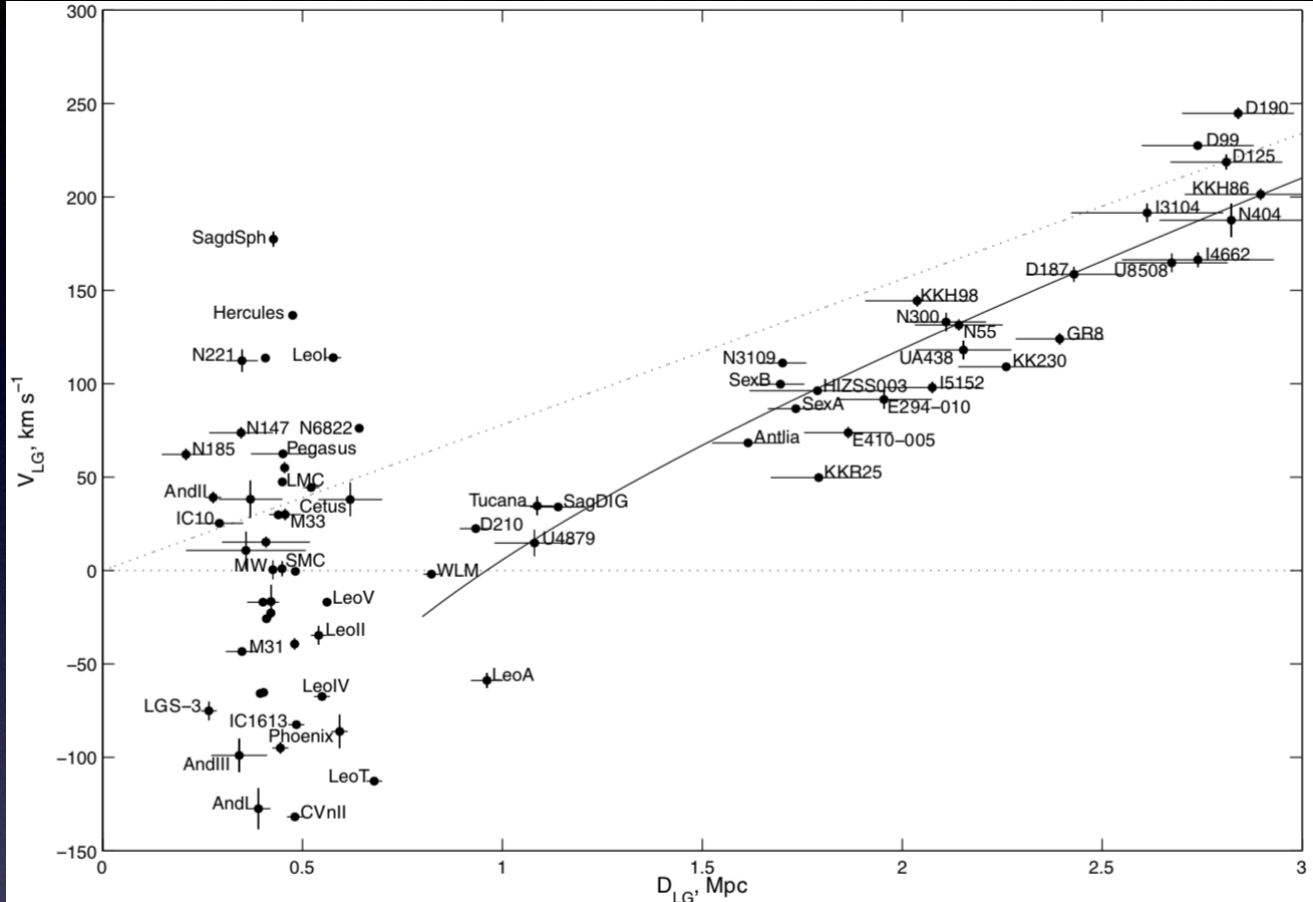
Hubble



Hubble (1929)

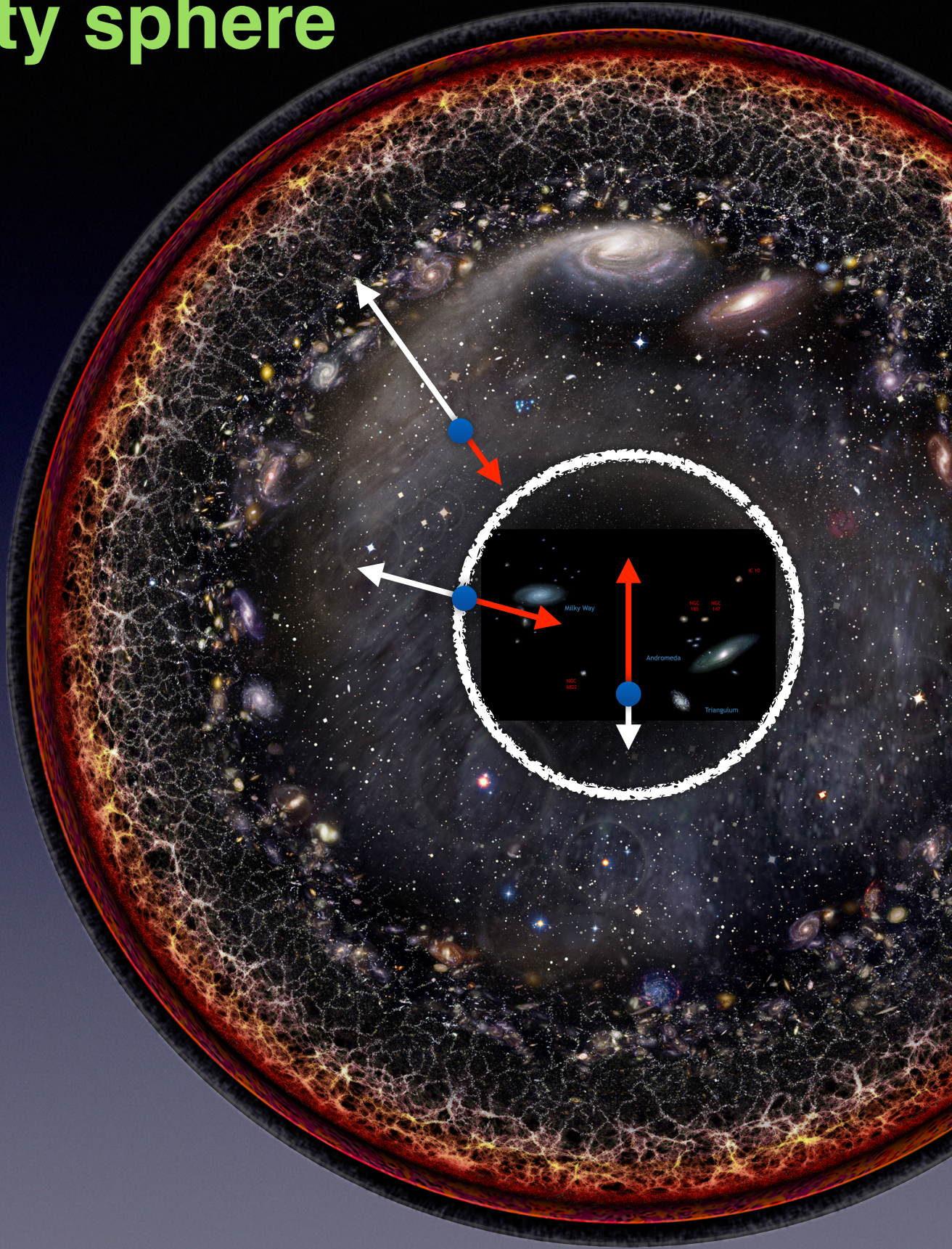


Zero velocity sphere



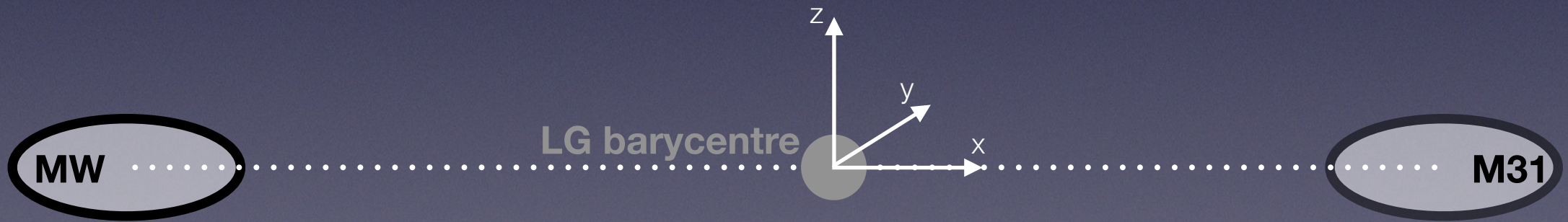
Karachentsev et al. (2009)

Radius = 0.96 Mpc
 Hubble local flow of 78 ± 2 km/s/Mpc
 Mass = $1.9 \pm 0.2 \cdot 10^{12} M_{\text{Sun}}$

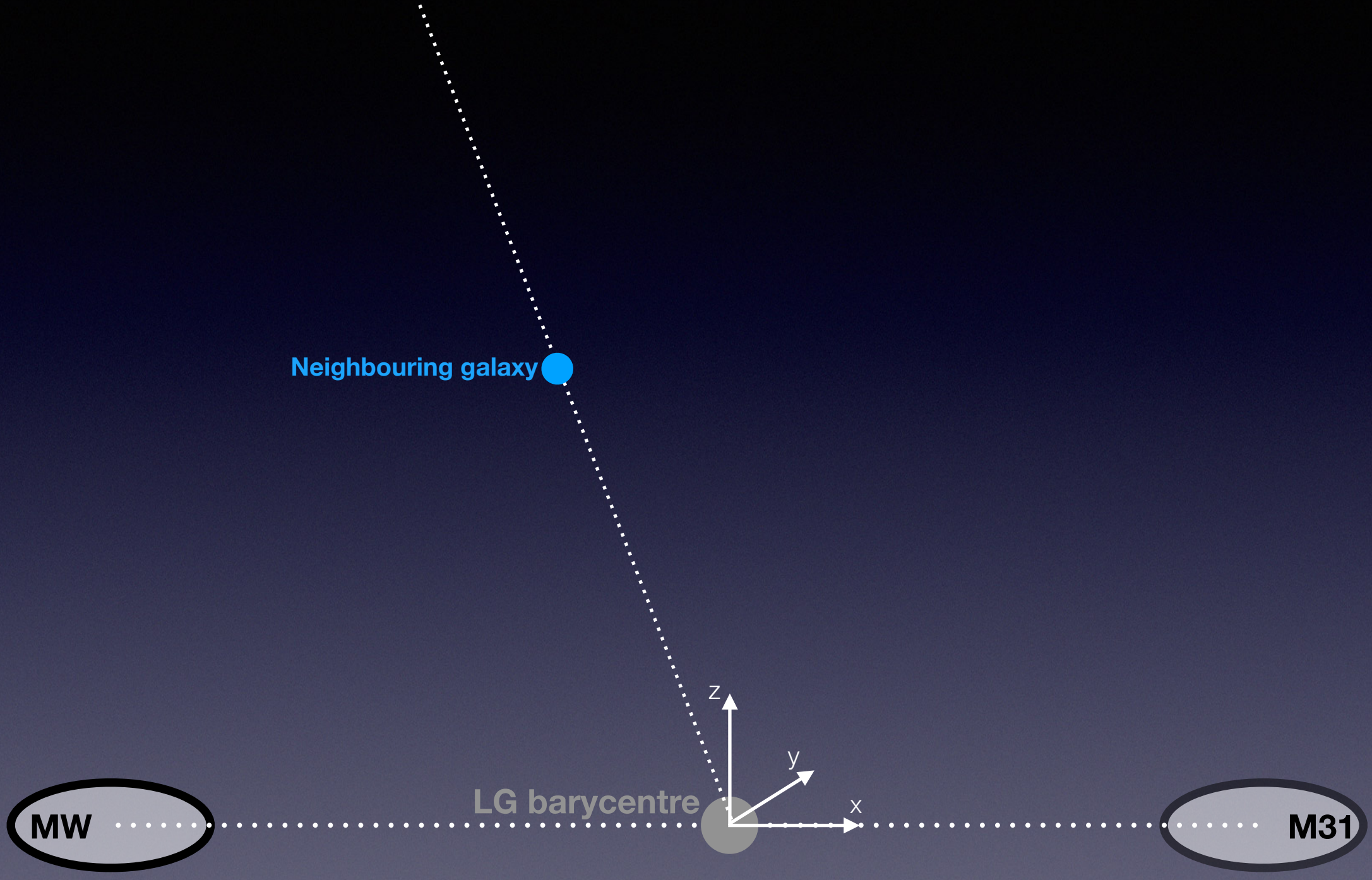


Schematic view

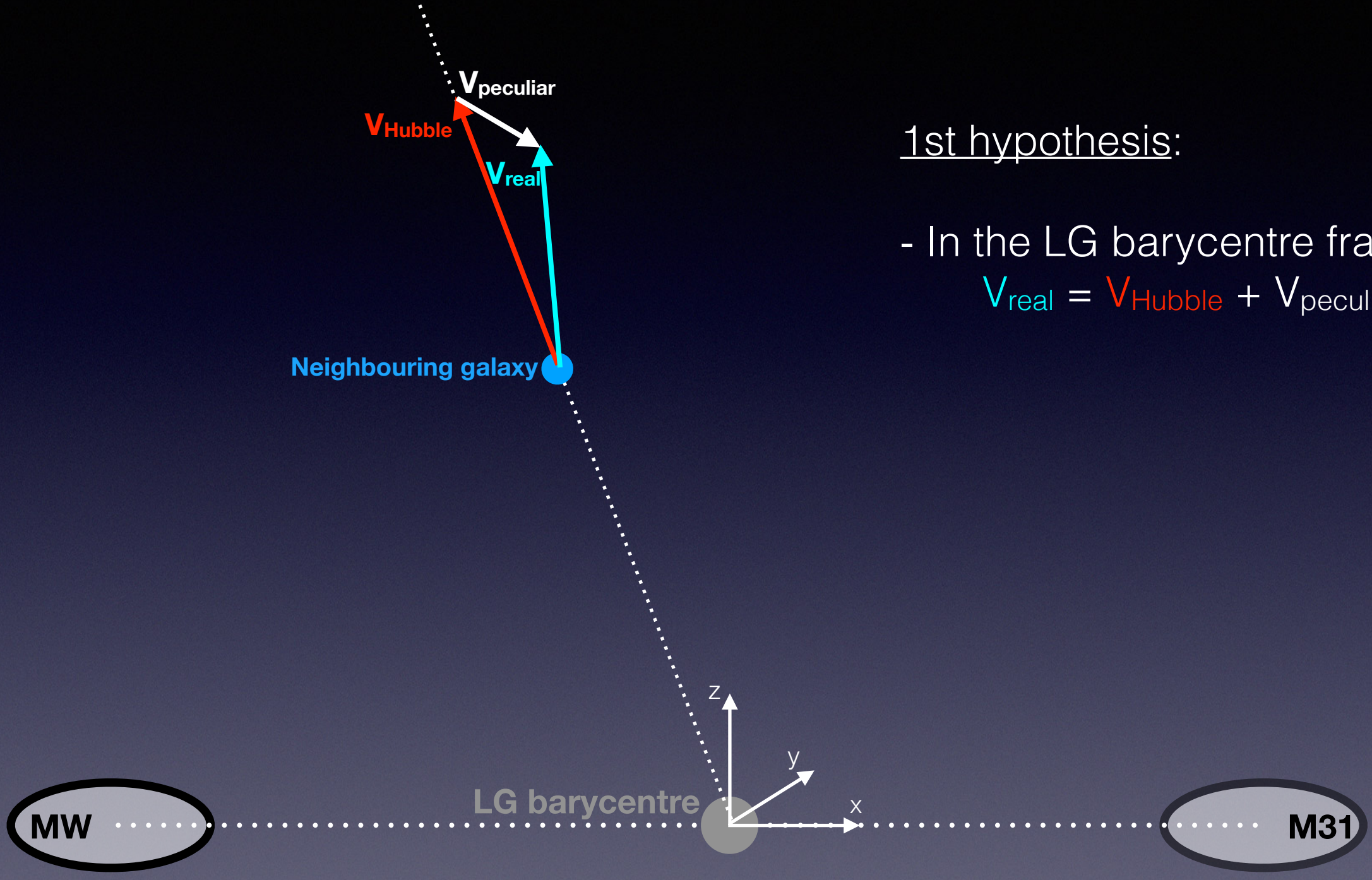
Schematic view



Schematic view



Schematic view

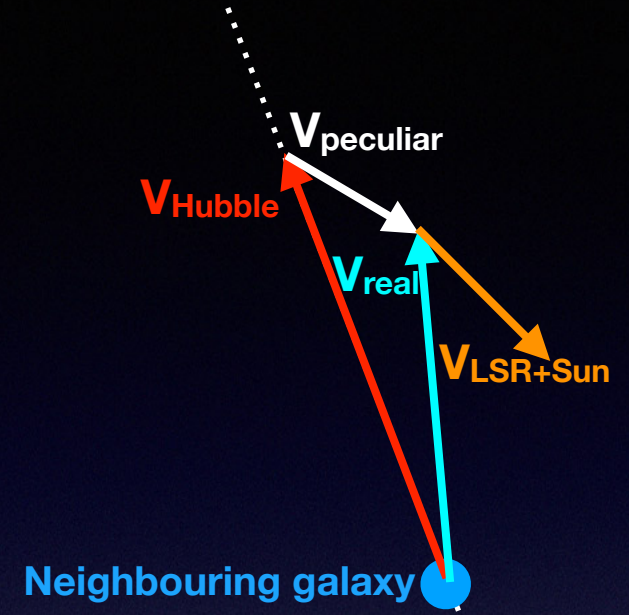


1st hypothesis:

- In the LG barycentre frame

$$V_{real} = V_{Hubble} + V_{peculiar}$$

Schematic view



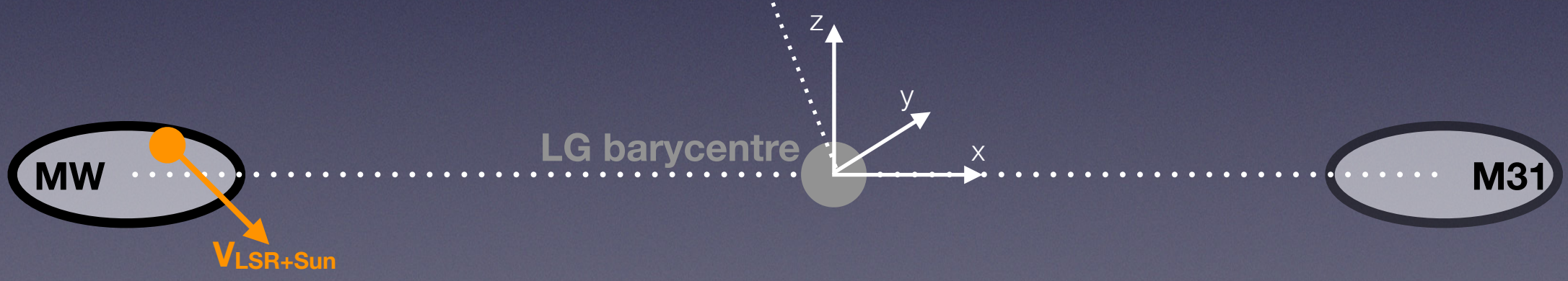
1st hypothesis:

- In the LG barycentre frame

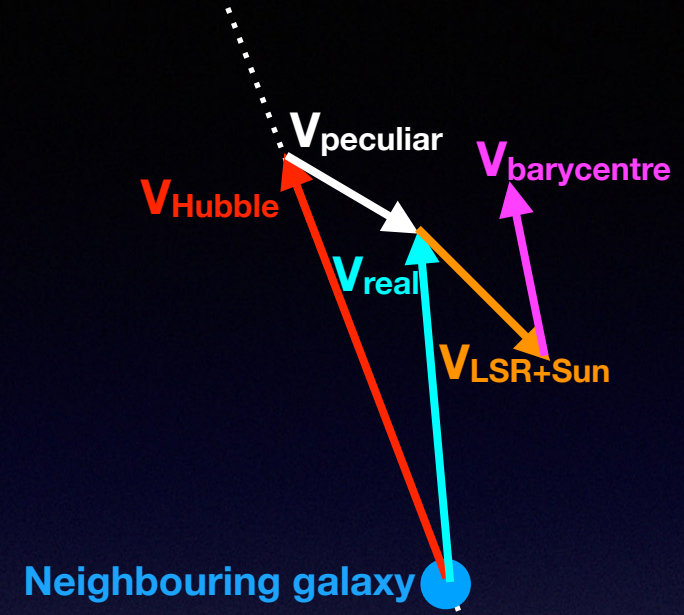
$$V_{real} = V_{Hubble} + V_{peculiar}$$

- In the Sun rest of frame

$$V_{real} = V_{Hubble} + V_{peculiar} - V_{LSR+Sun}$$



Schematic view



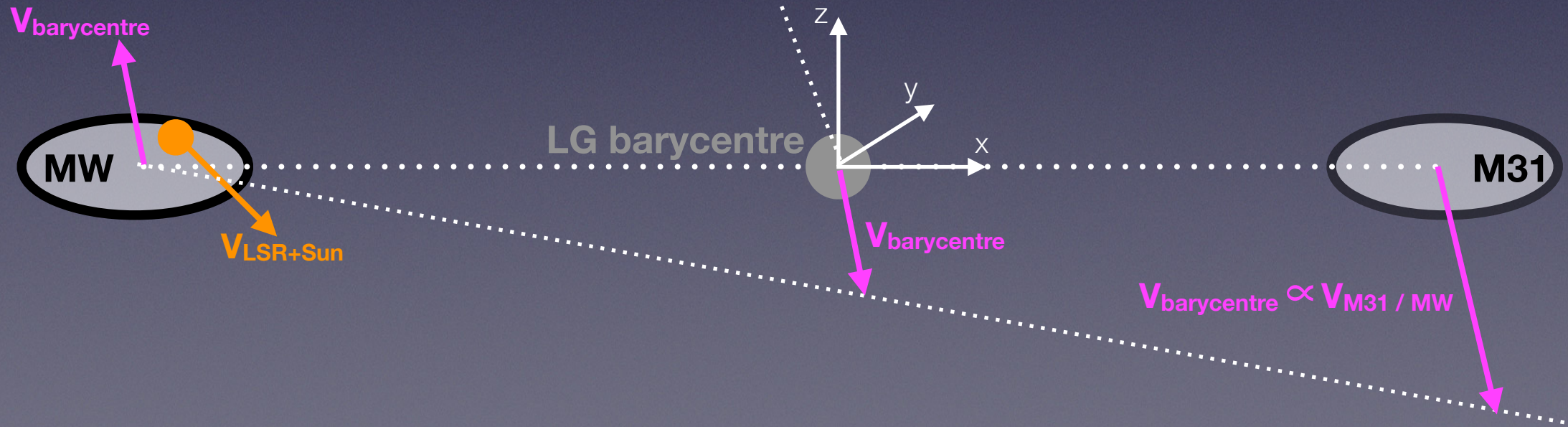
1st hypothesis:

- In the LG barycentre frame

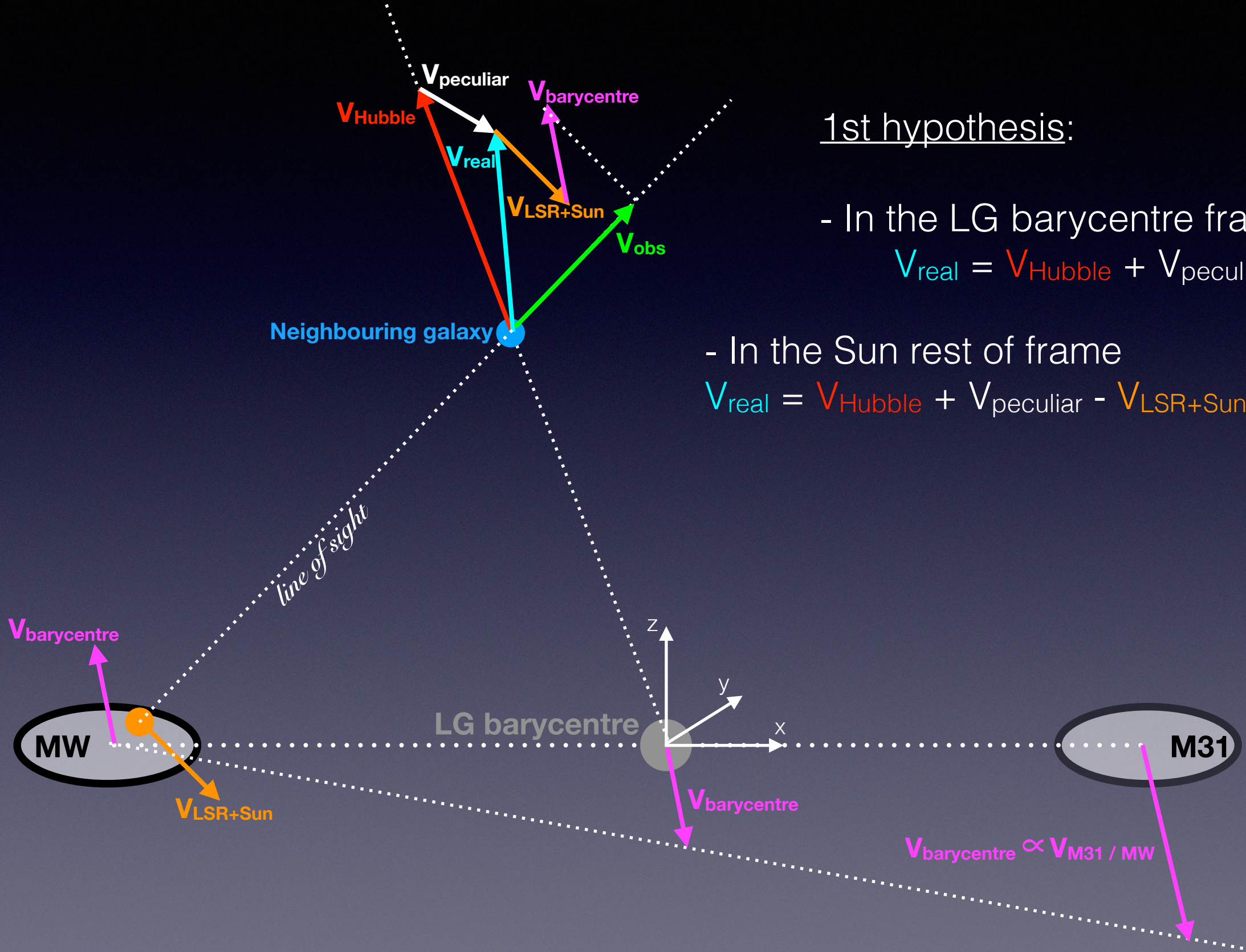
$$V_{real} = V_{Hubble} + V_{peculiar}$$

- In the Sun rest of frame

$$V_{real} = V_{Hubble} + V_{peculiar} - V_{LSR+Sun} - V_{barycentre}$$



Schematic view



1st hypothesis:

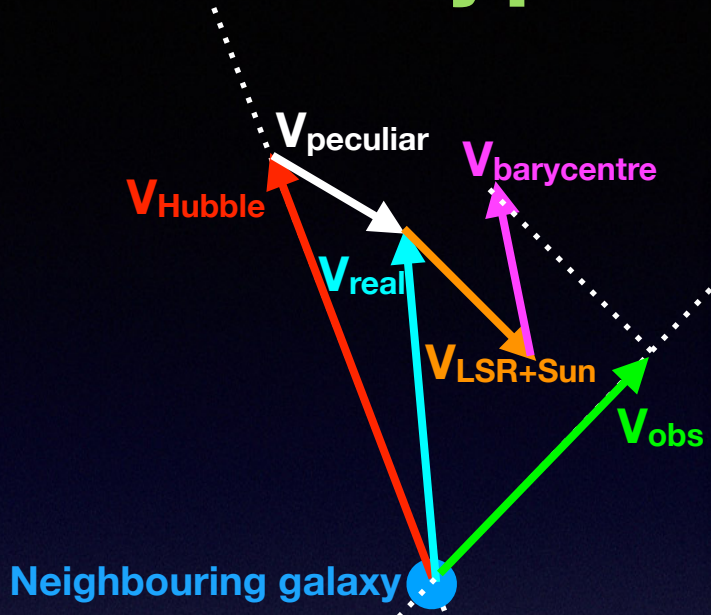
- In the LG barycentre frame

$$V_{real} = V_{Hubble} + V_{peculiar}$$

- In the Sun rest of frame

$$V_{real} = V_{Hubble} + V_{peculiar} - V_{LSR+Sun} - V_{barycentre}$$

Hypothesis 1



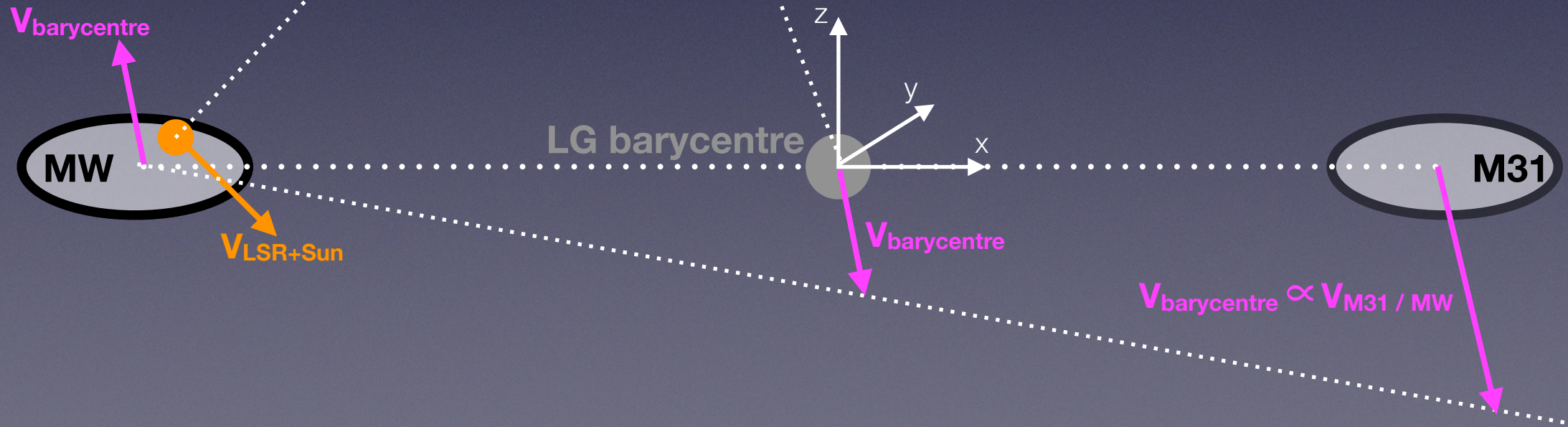
1st hypothesis:

- In the LG barycentre frame

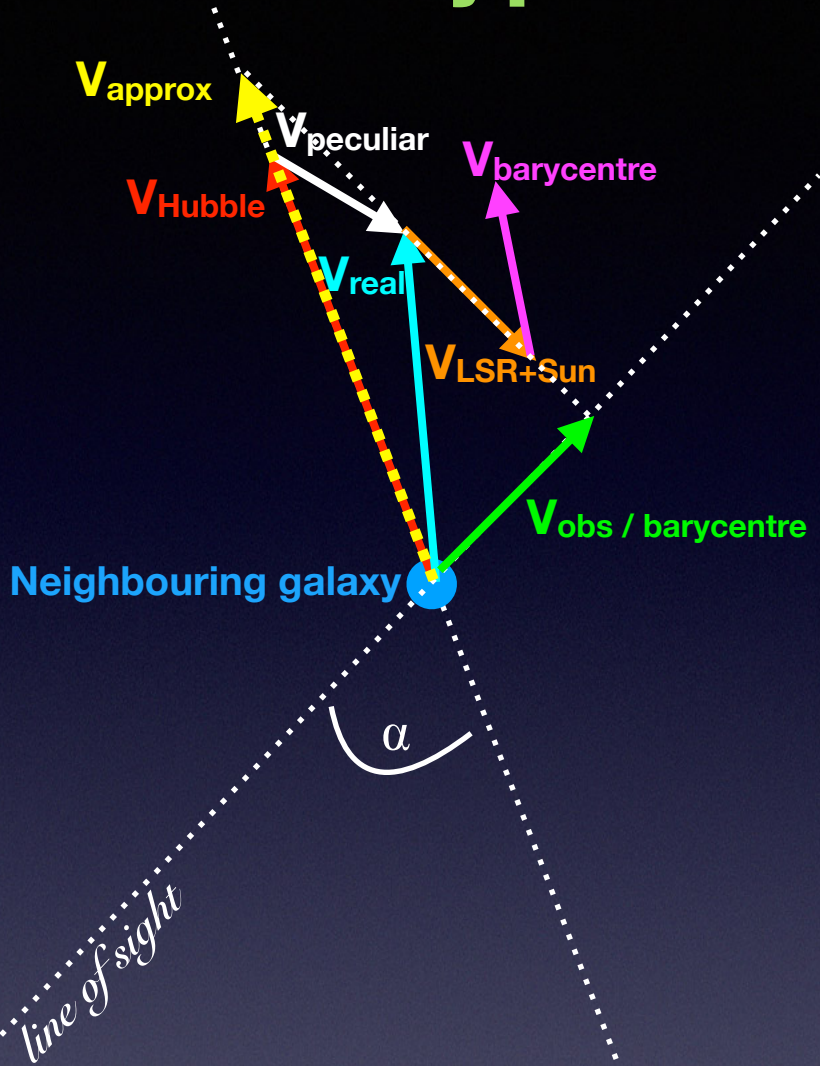
$$V_{real} = V_{Hubble} + V_{peculiar}$$
- In the Sun rest of frame

$$V_{real} = V_{Hubble} + V_{peculiar} - V_{LSR+Sun} - V_{barycentre}$$

But the peculiar velocity is unknown



Hypothesis 2

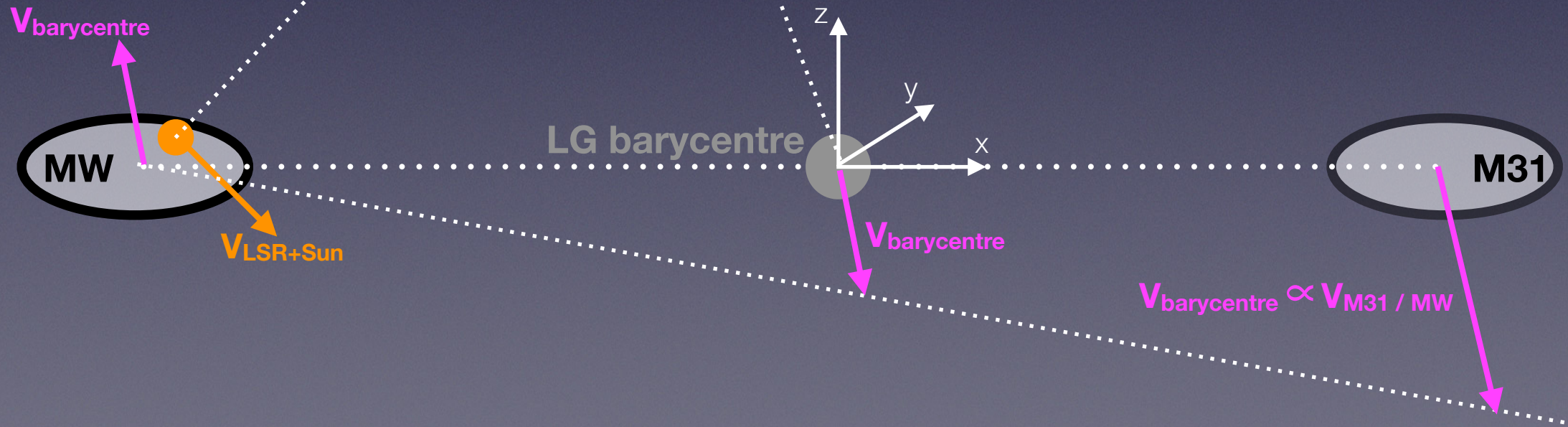


\vec{V}_{approx} is defined such as:

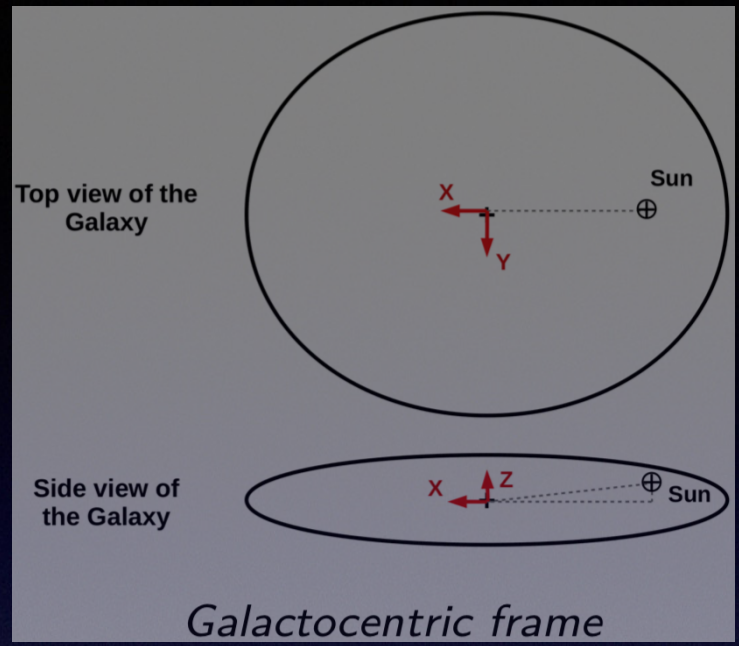
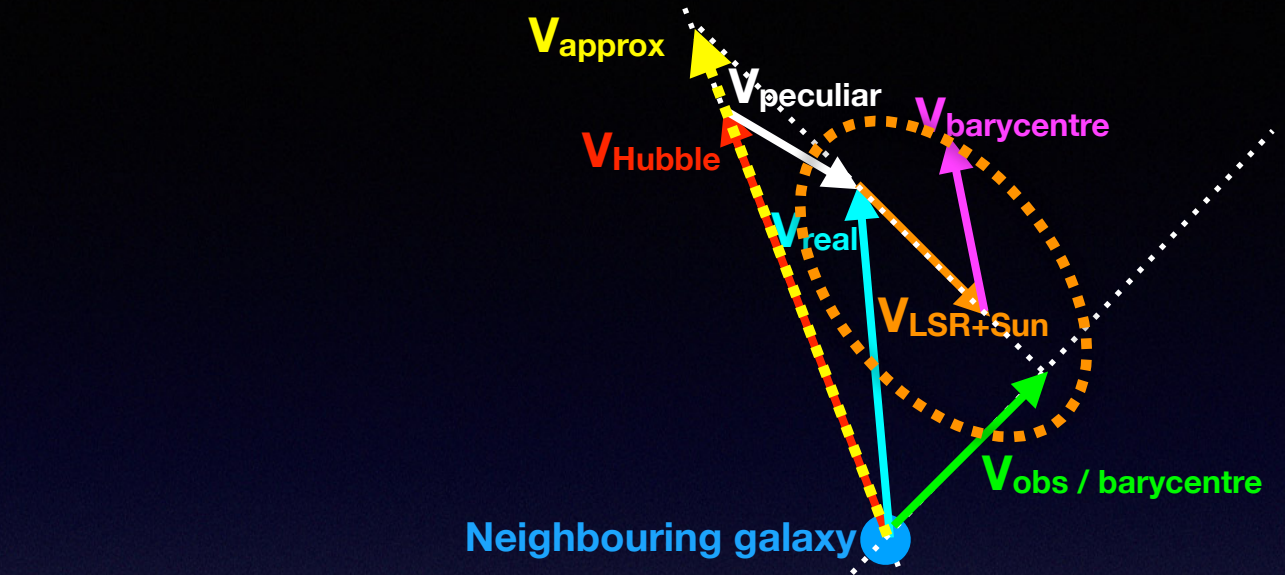
- $\vec{V}_{approx} \parallel \vec{V}_{Hubble}$
- $\|\vec{V}_{approx}\| = \|\vec{V}_{obs / barycentre}\| / \cos \alpha$

2nd hypothesis:
 $\vec{V}_{approx} \cong \vec{V}_{real}$

- no favoured orientation for $V_{peculiar}$, uniformly distributed in space
 —> errors on \vec{V}_{real} will be compensated

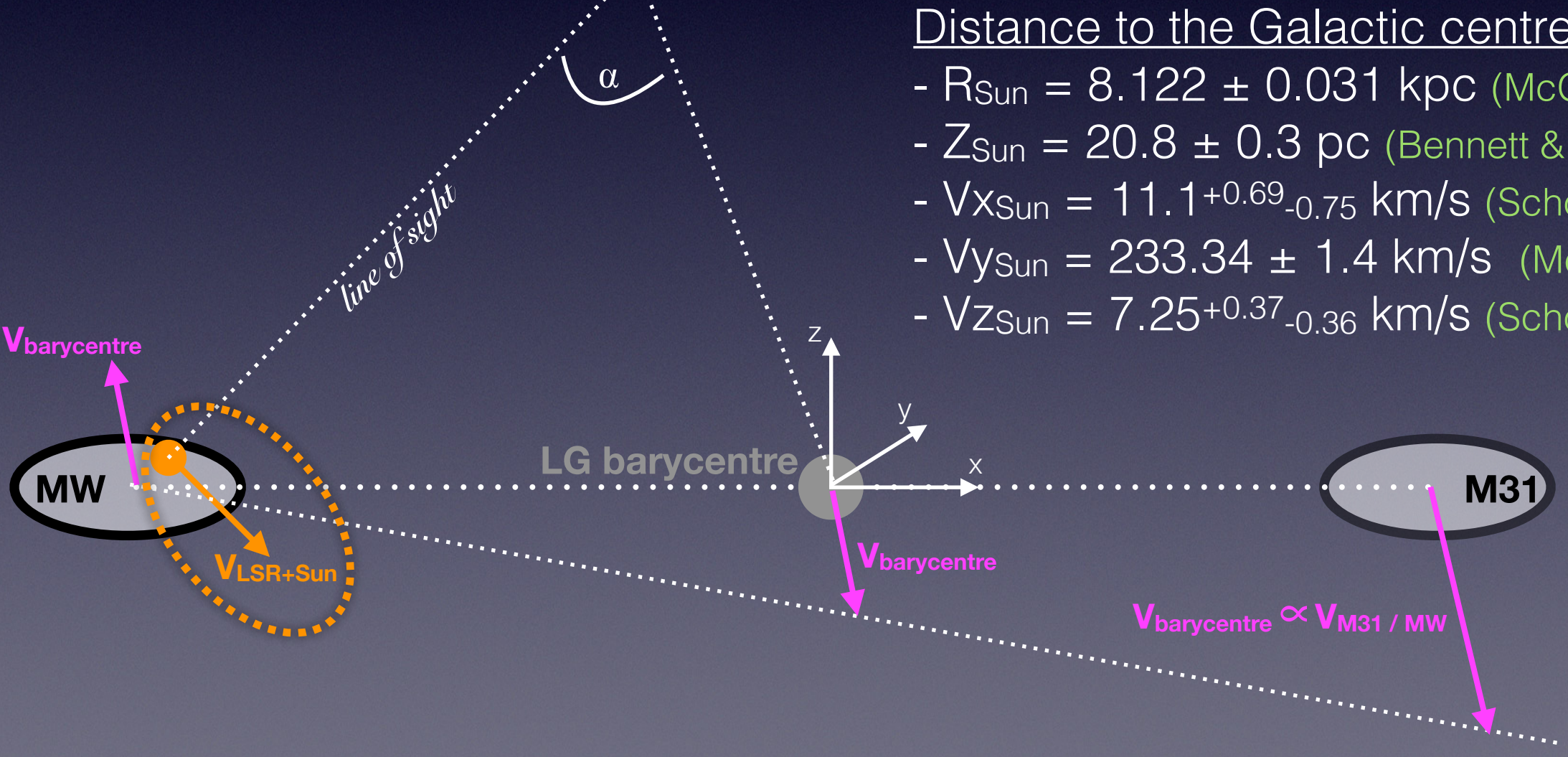


Sun parameters

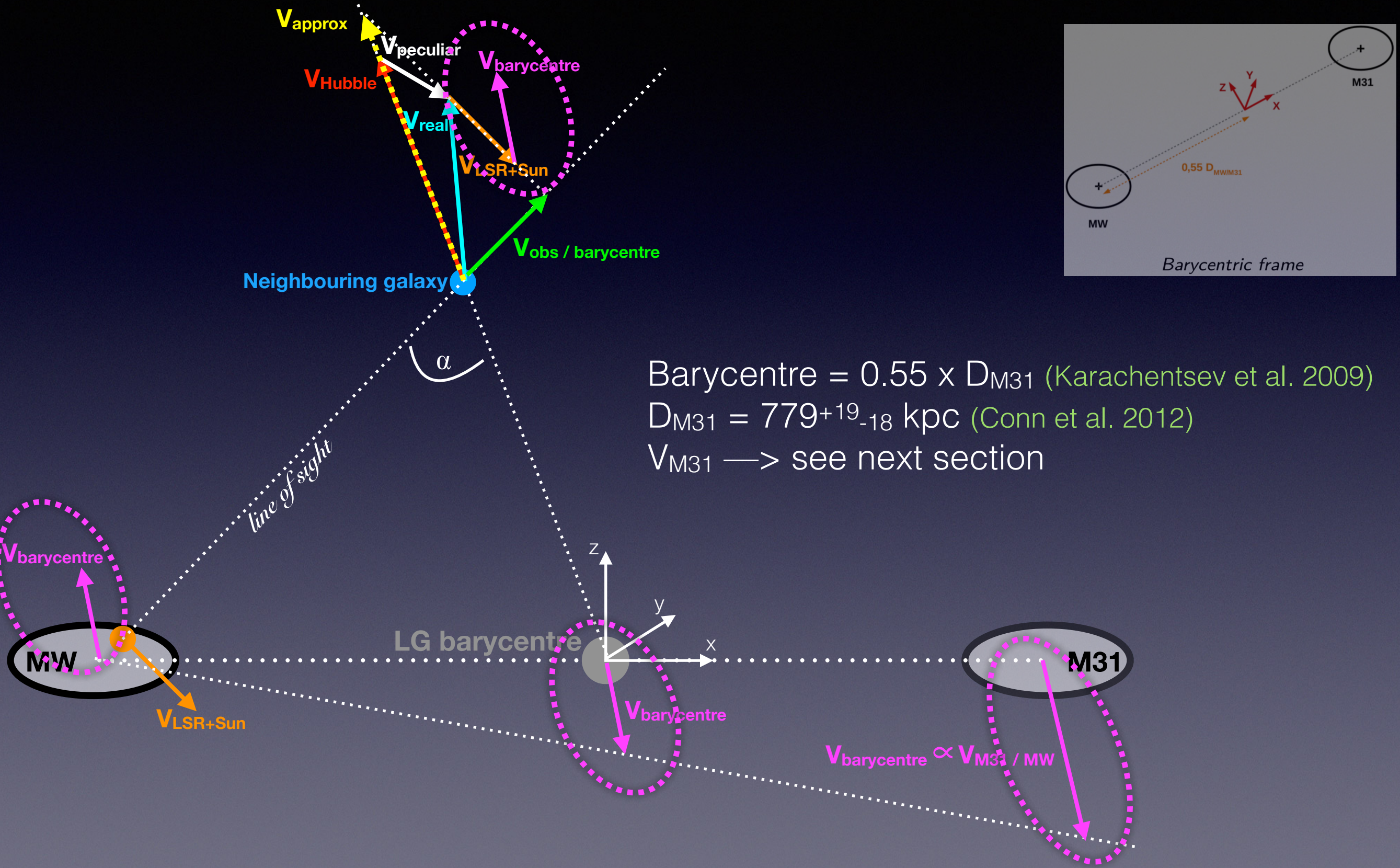


Distance to the Galactic centre:

- $R_{Sun} = 8.122 \pm 0.031$ kpc (McGaugh 2018)
- $Z_{Sun} = 20.8 \pm 0.3$ pc (Bennett & Bovy 2019)
- $V_{X_{Sun}} = 11.1^{+0.69}_{-0.75}$ km/s (Schönrich et al. 2010)
- $V_{y_{Sun}} = 233.34 \pm 1.4$ km/s (McGaugh 2018)
- $V_{Z_{Sun}} = 7.25^{+0.37}_{-0.36}$ km/s (Schönrich et al. 2010)



Barycentre parameters

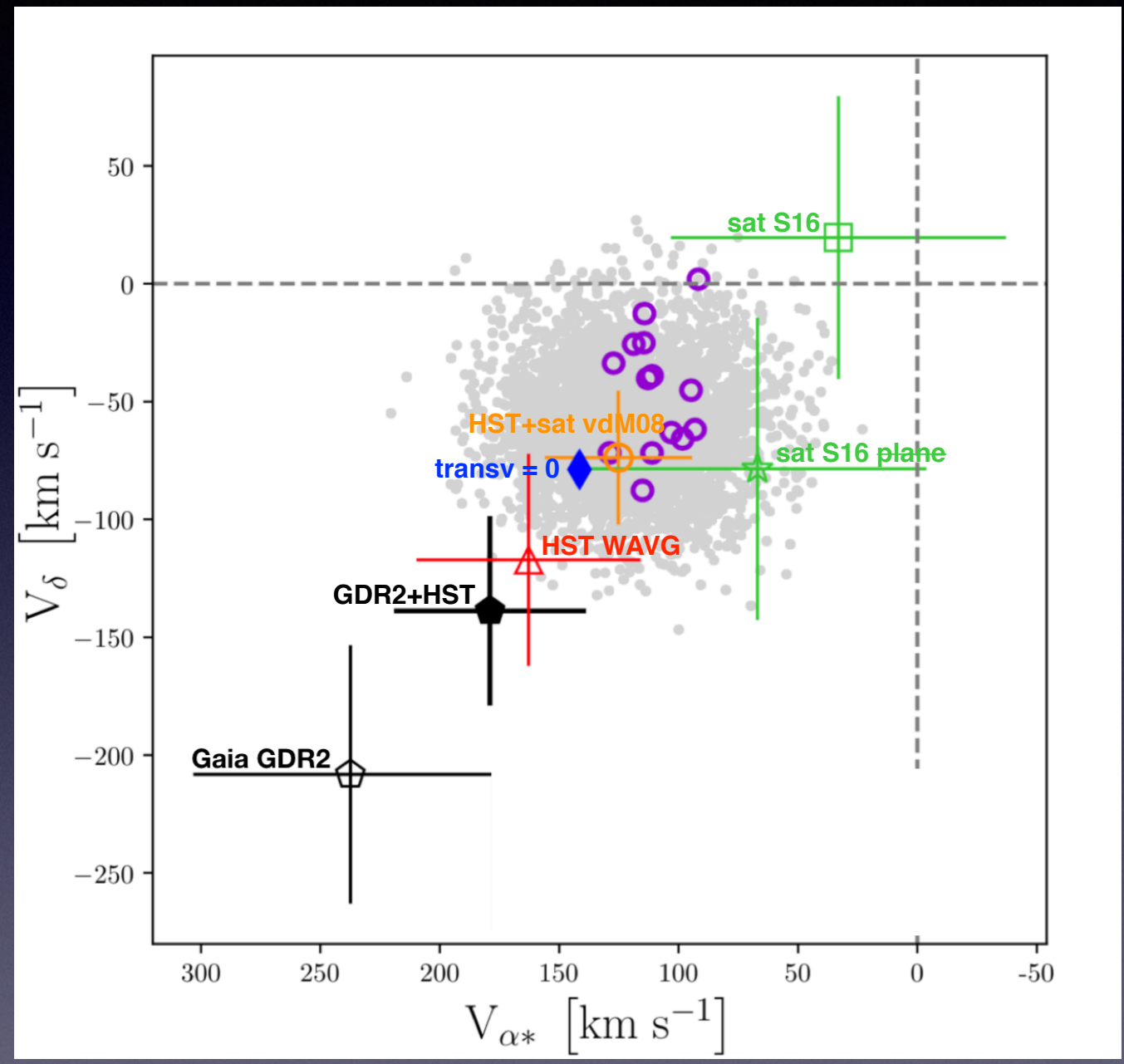


Barycentre = $0.55 \times D_{M31}$ (Karachentsev et al. 2009)
 $D_{M31} = 779^{+19}_{-18}$ kpc (Conn et al. 2012)
 $V_{M31} \rightarrow$ see next section

$V_{barycentre} \propto V_{M31 / MW}$

M31 proper motion

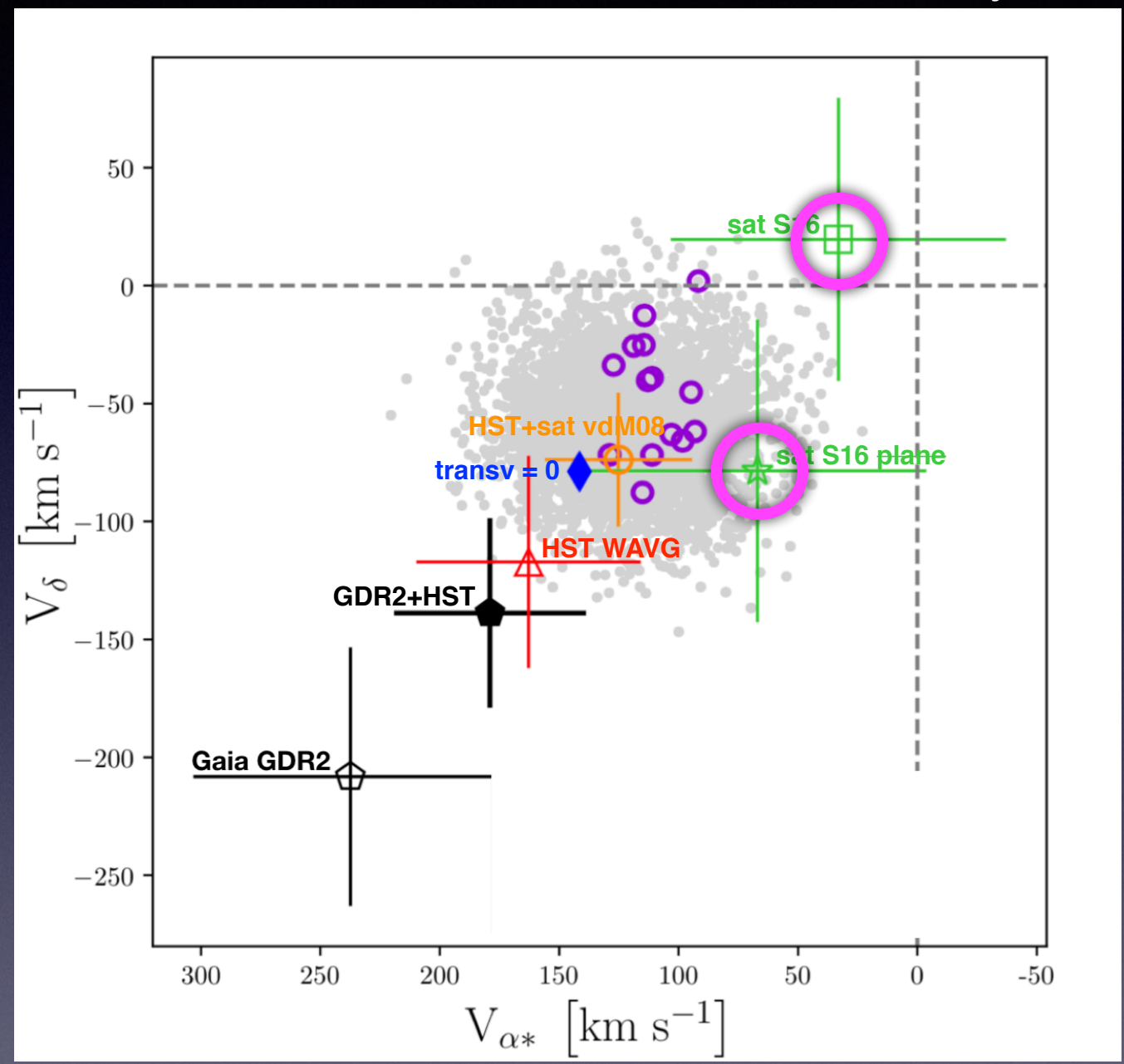
Heliocentric M31 transverse velocity



adapted from van der Marel et al. (2019)

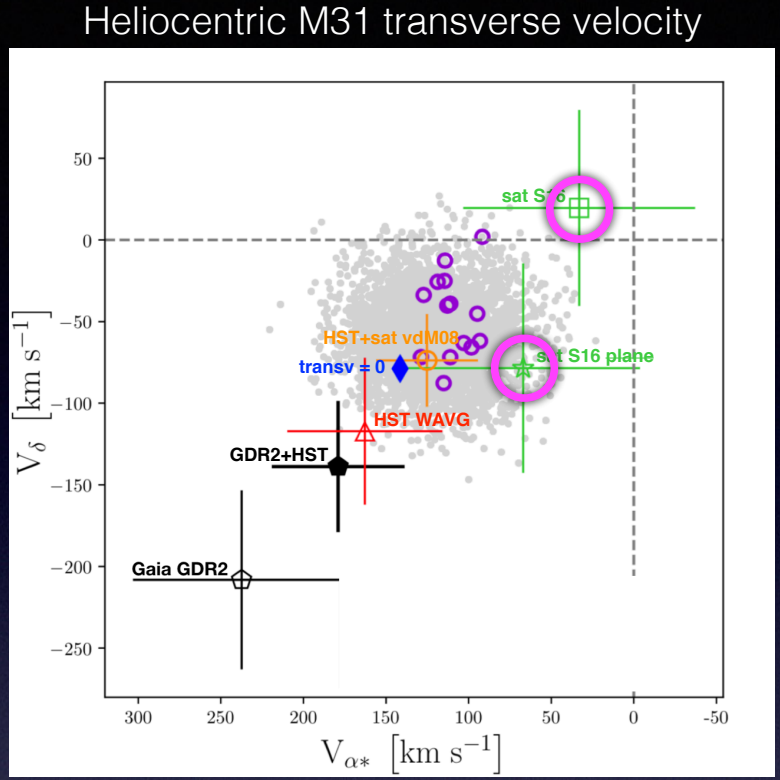
1st statistical estimation

Heliocentric M31 transverse velocity

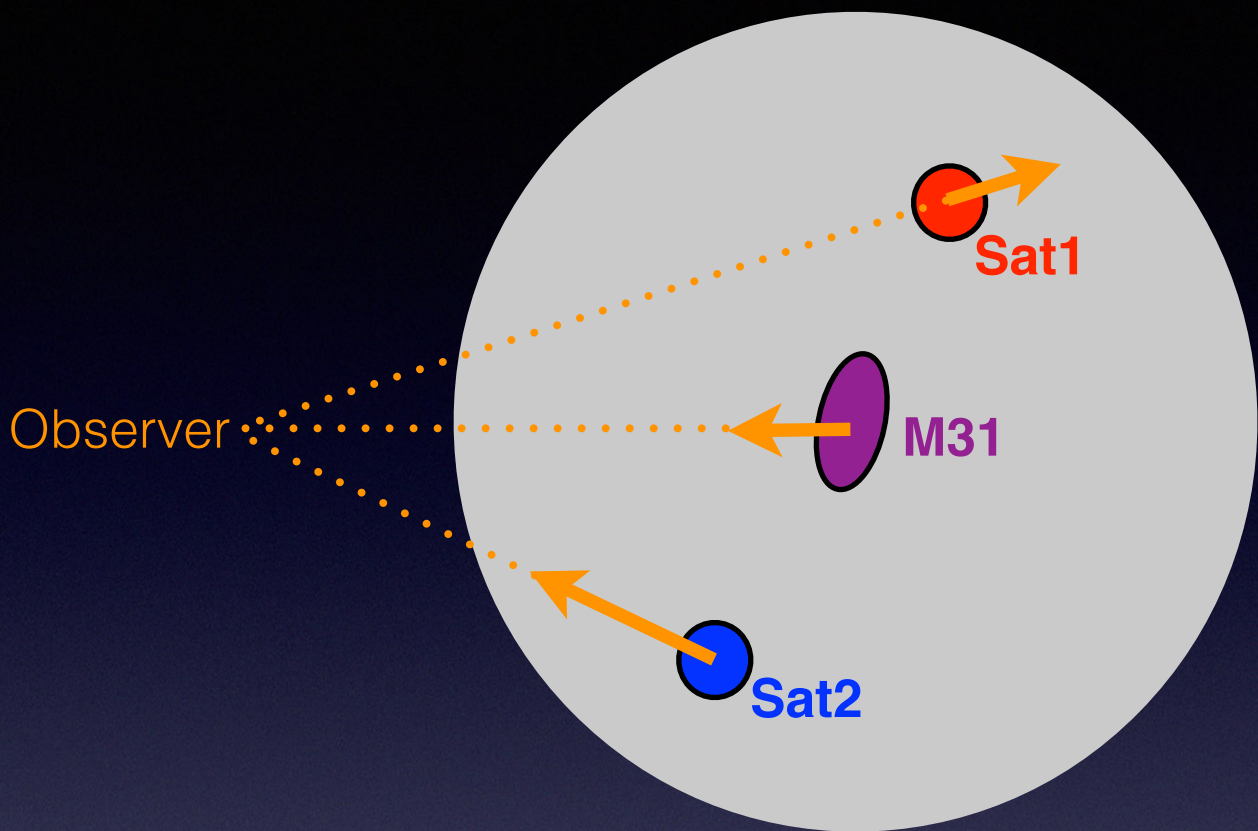


adapted from van der Marel et al. (2019)

1st statistical estimation



adapted from van der Marel et al. (2019)



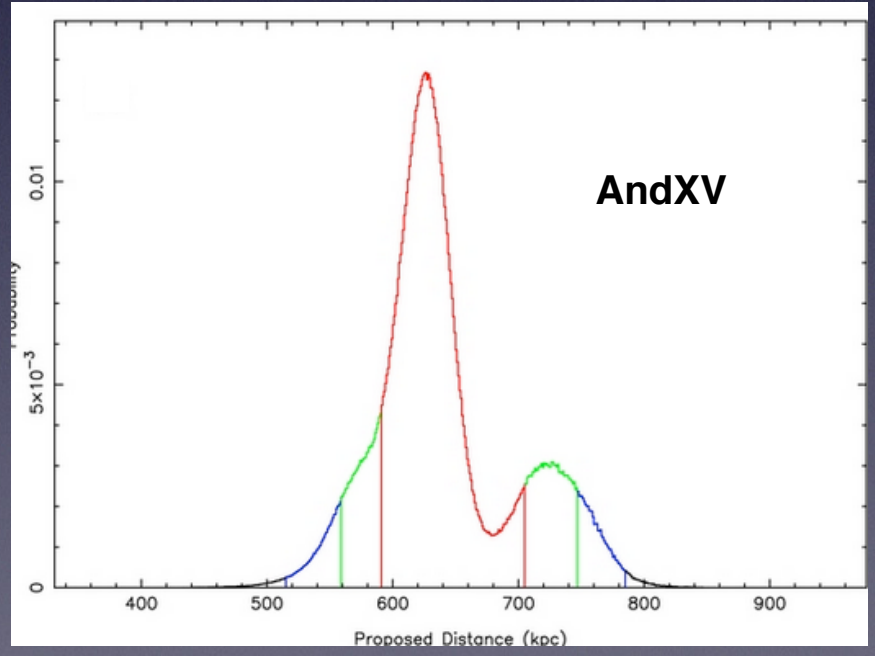
Assumption:

M31 Satellites are embedded within its dark halo
 —> they are sharing a global proper motion

- $V_{sat} = V_{M31} + V_{peculiar}$
- NFW spherical halo (Navarro et al. 1997)
- peculiar velocities of satellites (Lokas & Mamon 2001)

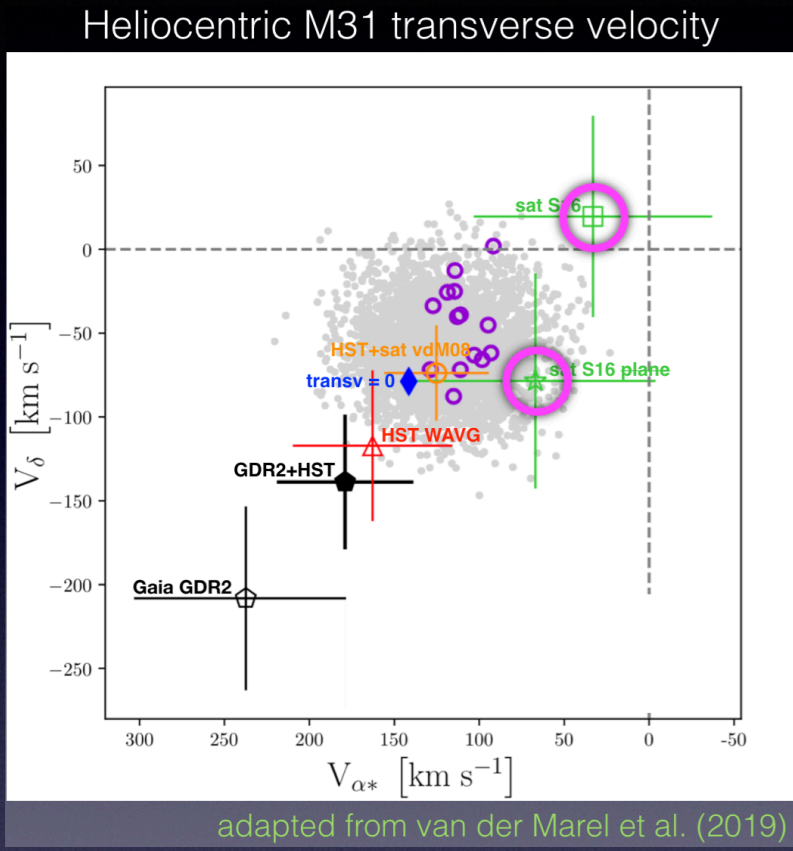
$$\sigma_i = f(V_{200}, R_{200}, c, r_i)$$

$R_{200} = 300$ kpc, $M_{200} = 1.10^{12} M_{Sun}$, $c = 12$
 (Watkins et al. 2010, Fardal et al. 2013)



Conn et al. (2012)

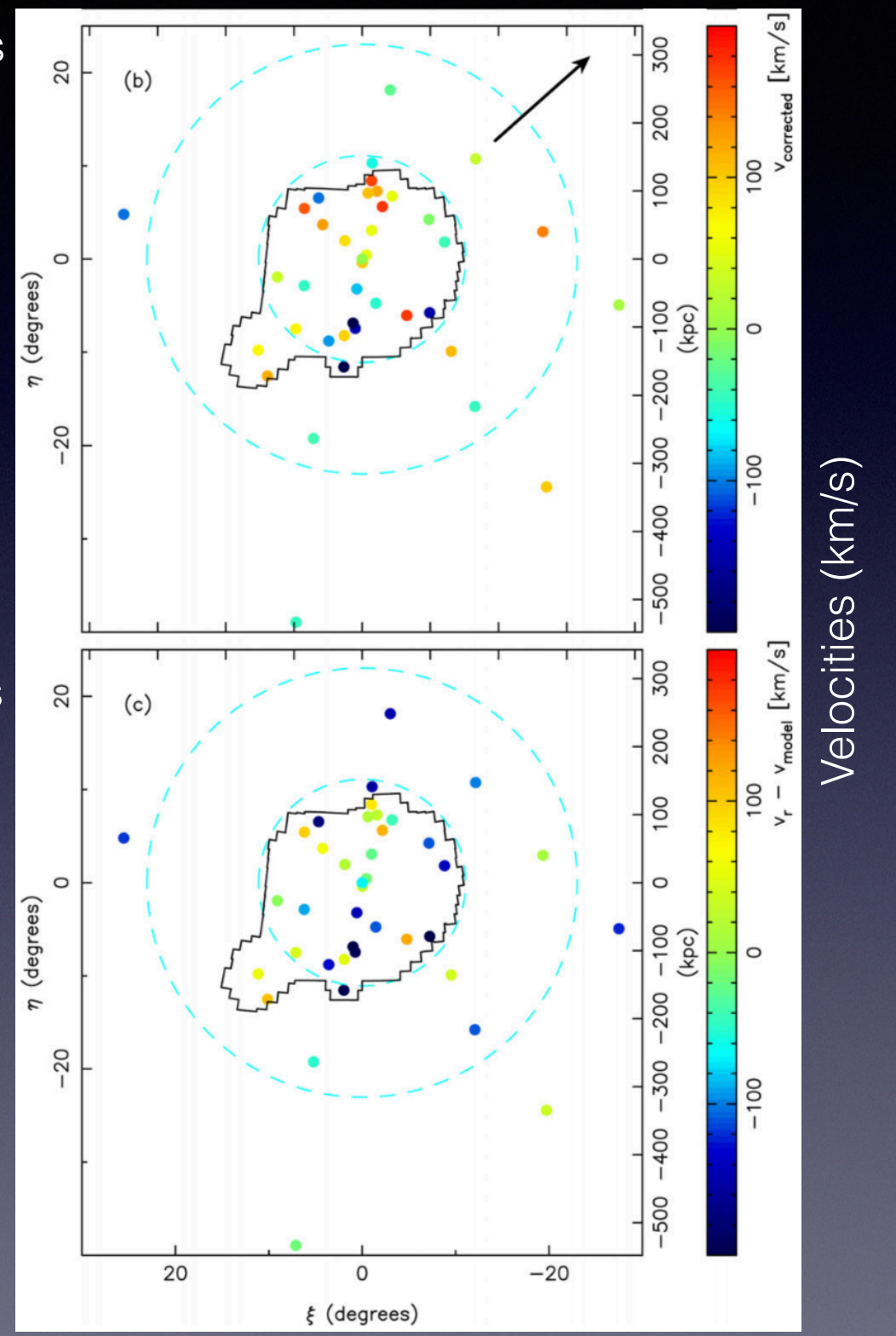
1st statistical estimation



40 dwarf galaxies: 33 $(-111) \pm 70$ km/s to the East
 20 $(99) \pm 60$ km/s to the North

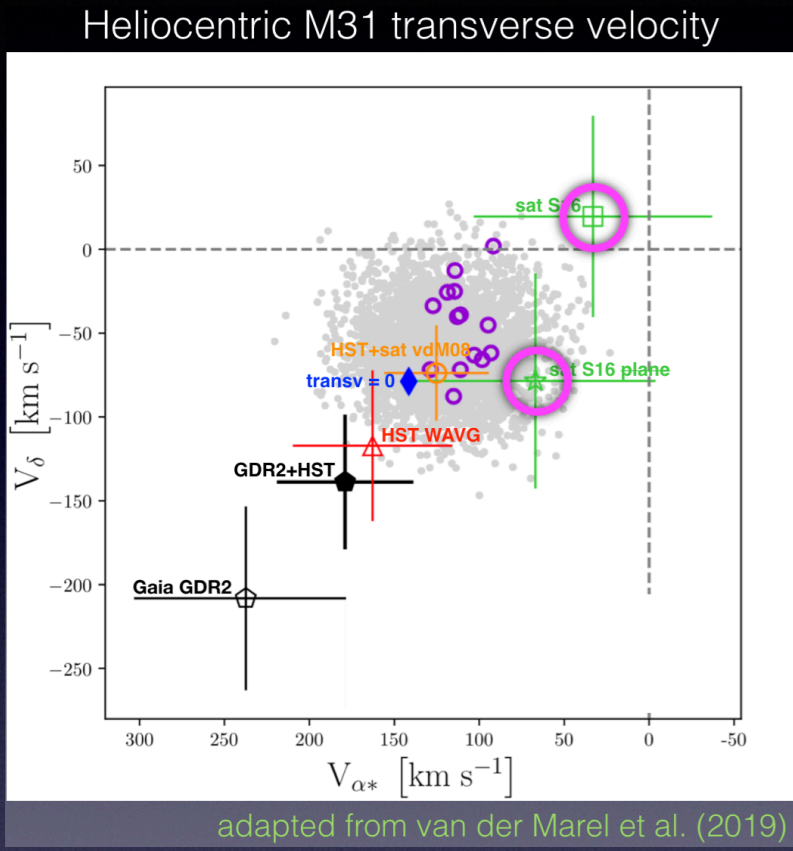
Corrected velocities

Residuals

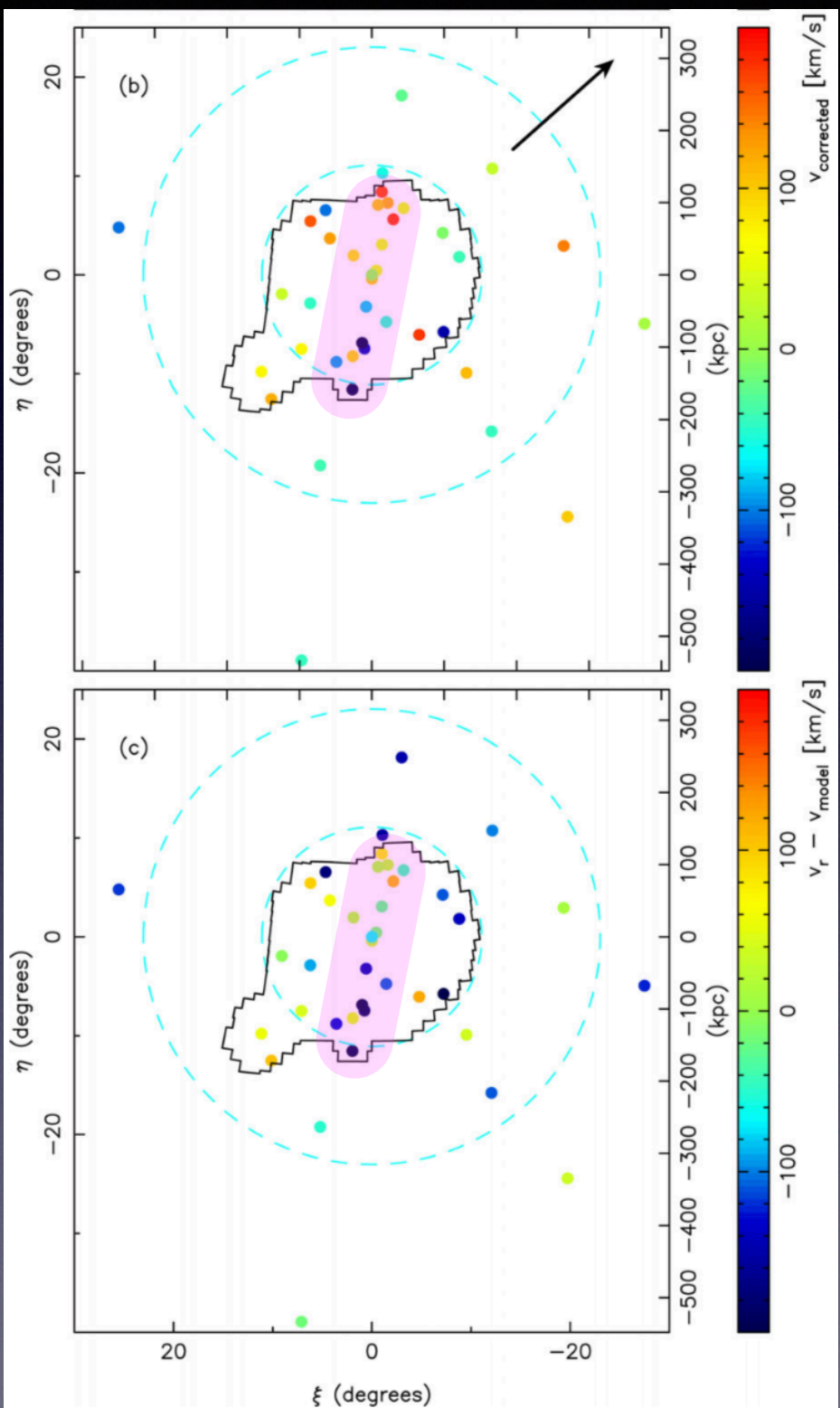


Salomon et al. (2016)

1st statistical estimation



Corrected velocities



Residuals

Velocities (km/s)

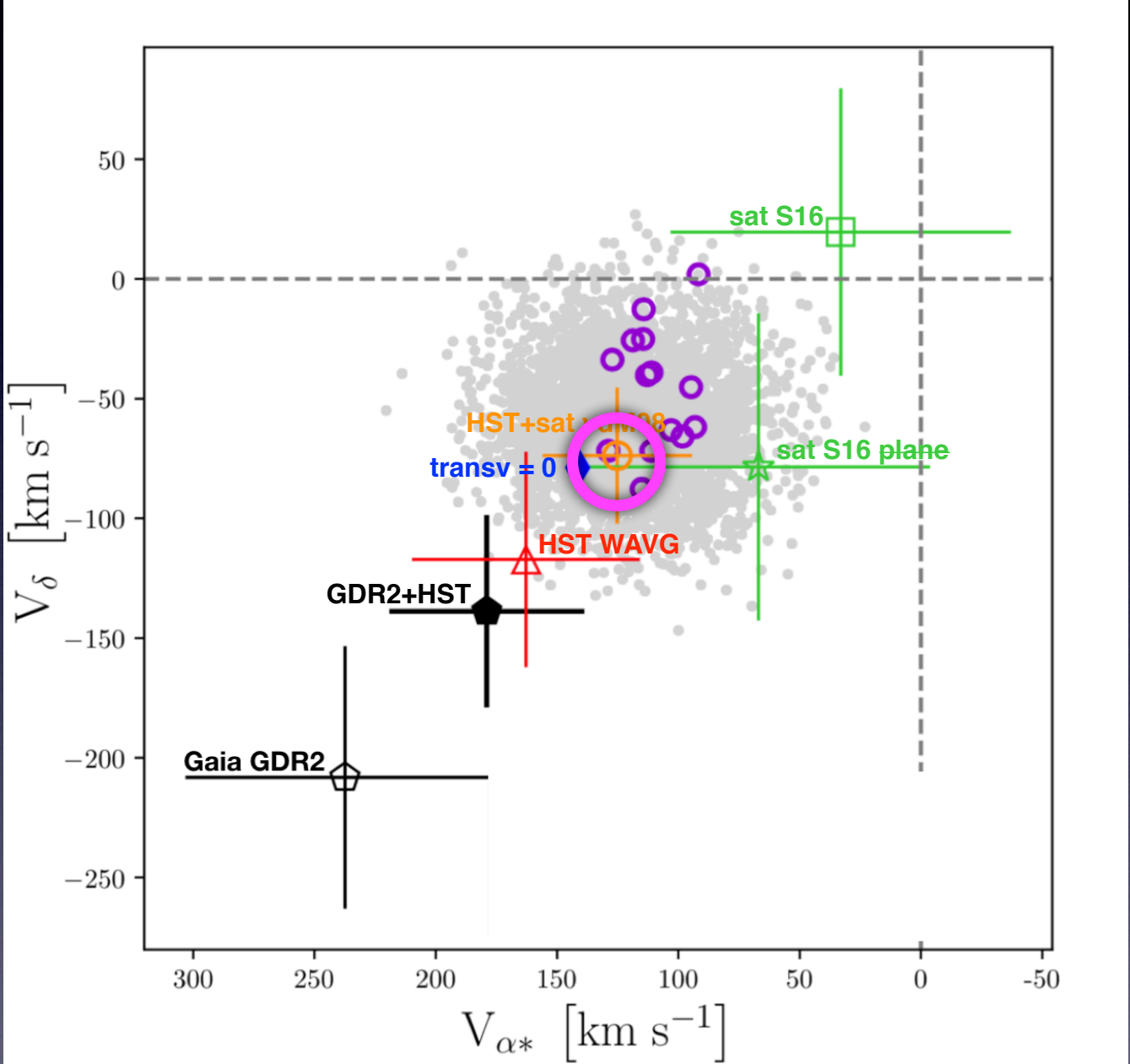
40 dwarf galaxies: $33 (-111) \pm 70$ km/s to the East
 $20 (99) \pm 60$ km/s to the North

26 (plane excluded): -78 ± 71 km/s to the East
 1 ± 64 km/s to the North

Salomon et al. (2016)

2nd statistical estimation

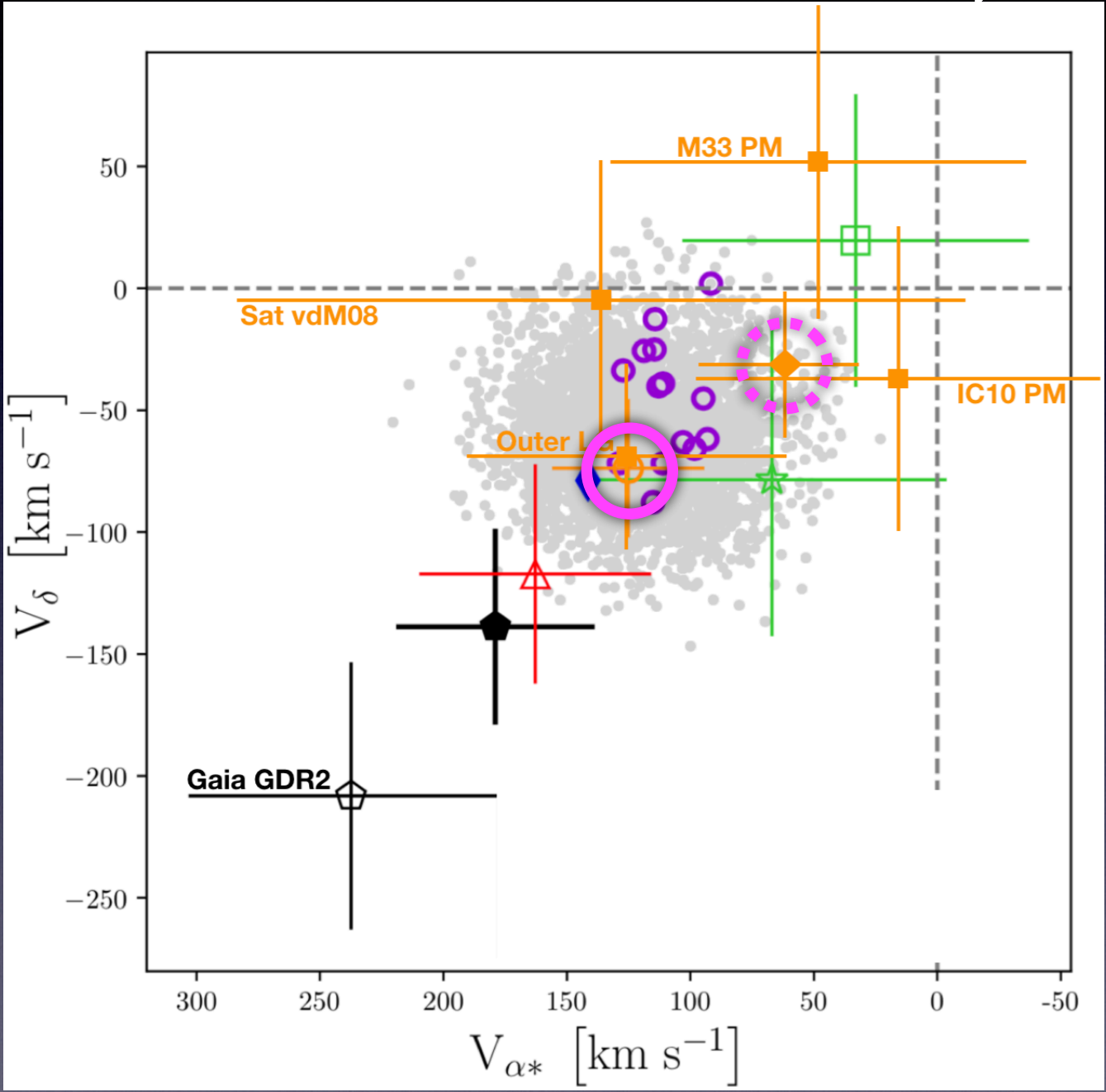
Heliocentric M31 transverse velocity



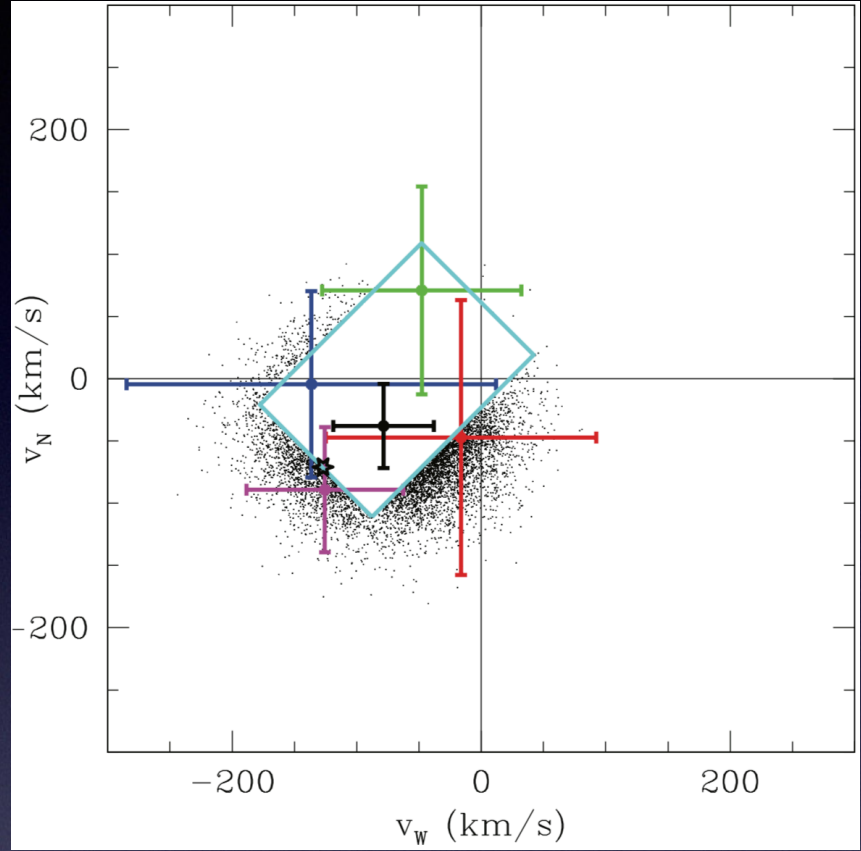
adapted from van der Marel et al. (2019)

2nd statistical estimation

Heliocentric M31 transverse velocity



adapted from van der Marel et al. (2019)

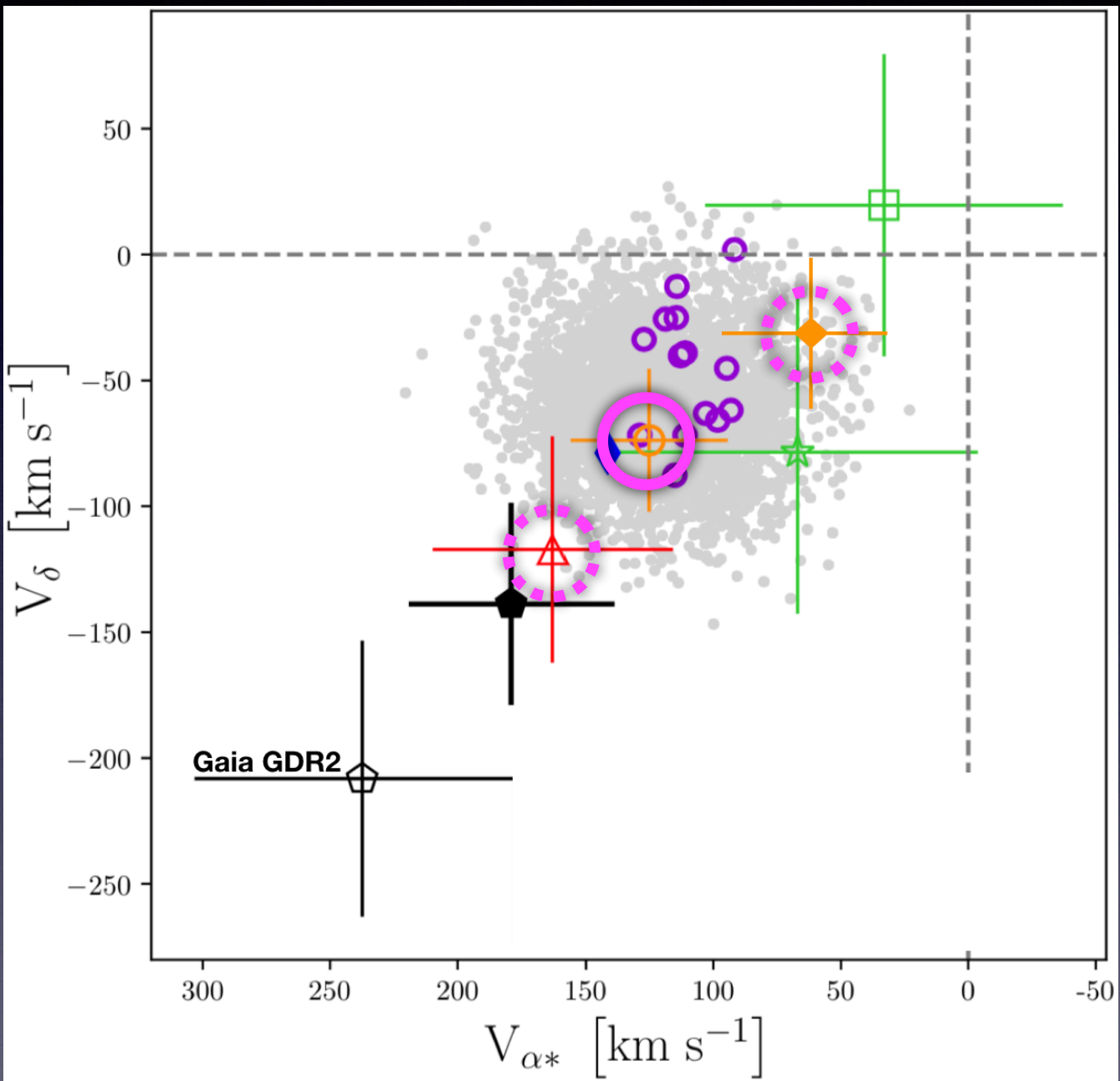


van der Marel & Guhathakurta (2008)

- 4 estimations:
- 17 M31 satellites
 - M33 proper motion
 - IC10 proper motion
 - 5 outer LG satellites

1st observational estimation

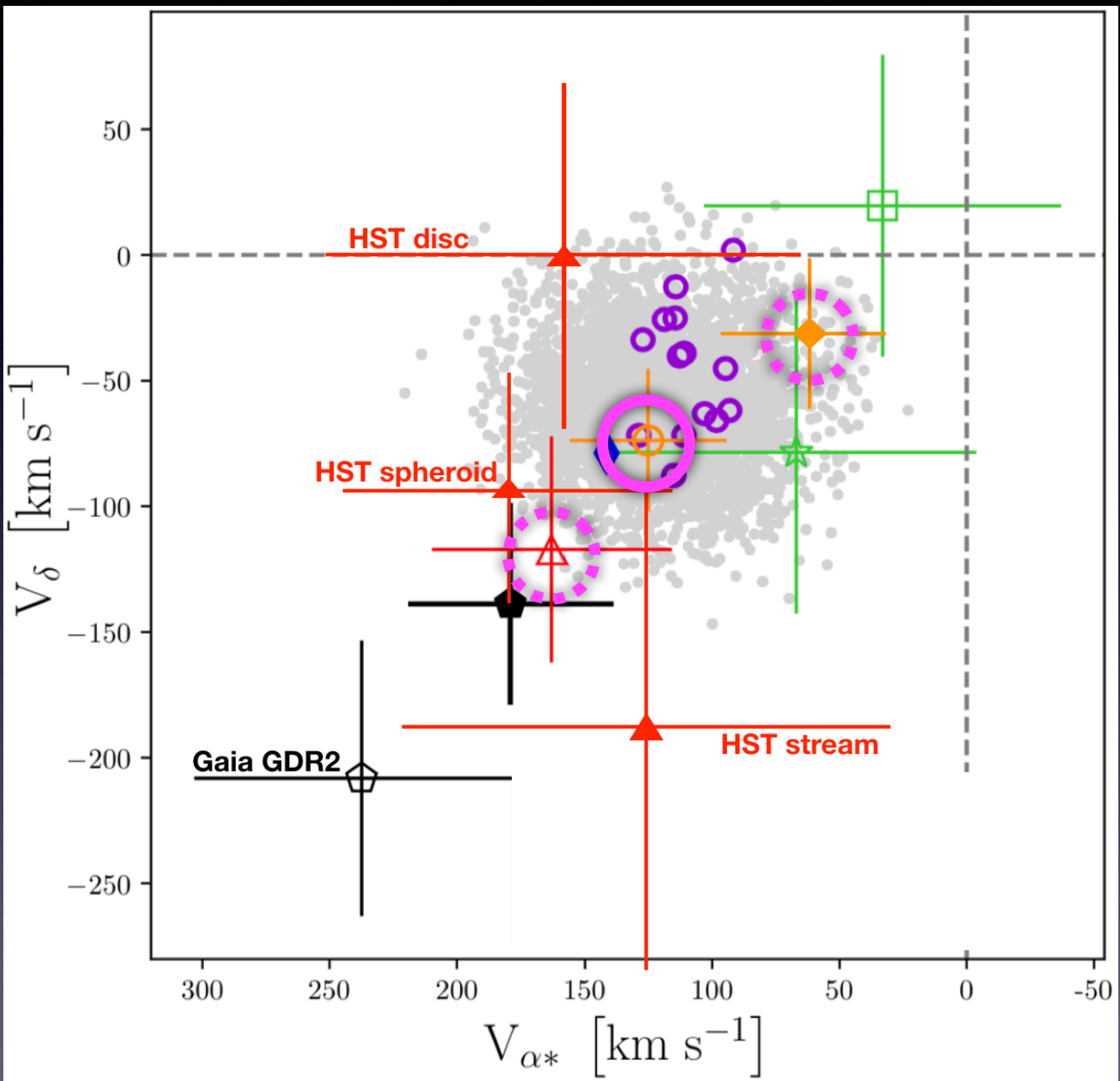
Heliocentric M31 transverse velocity



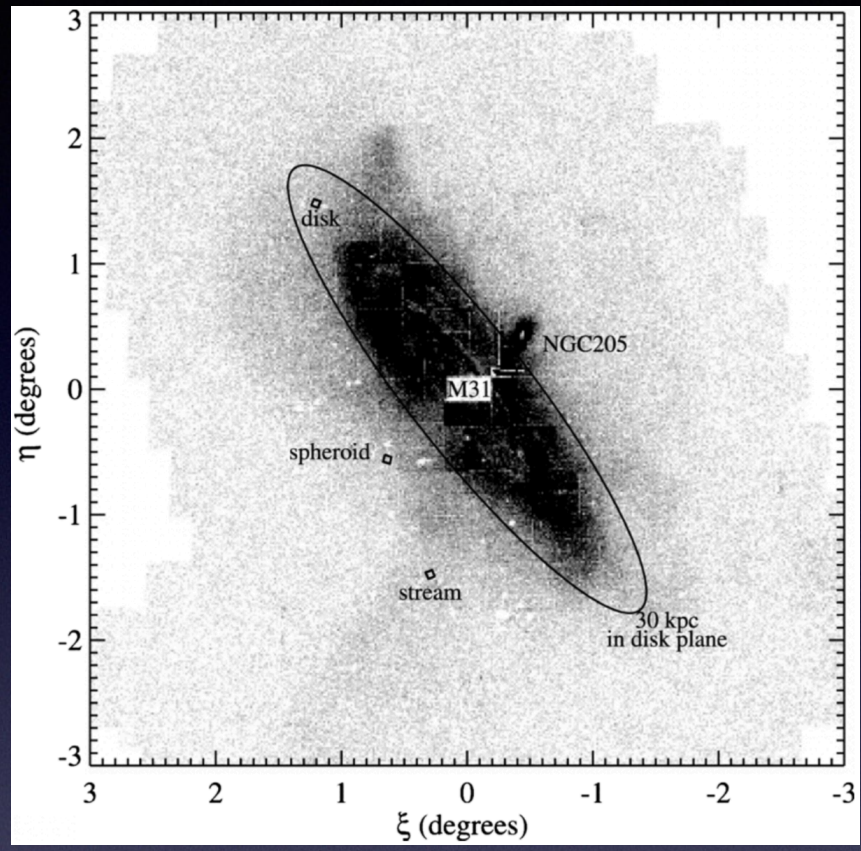
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1st observational estimation

Heliocentric M31 transverse velocity



adapted from van der Marel et al. (2019)

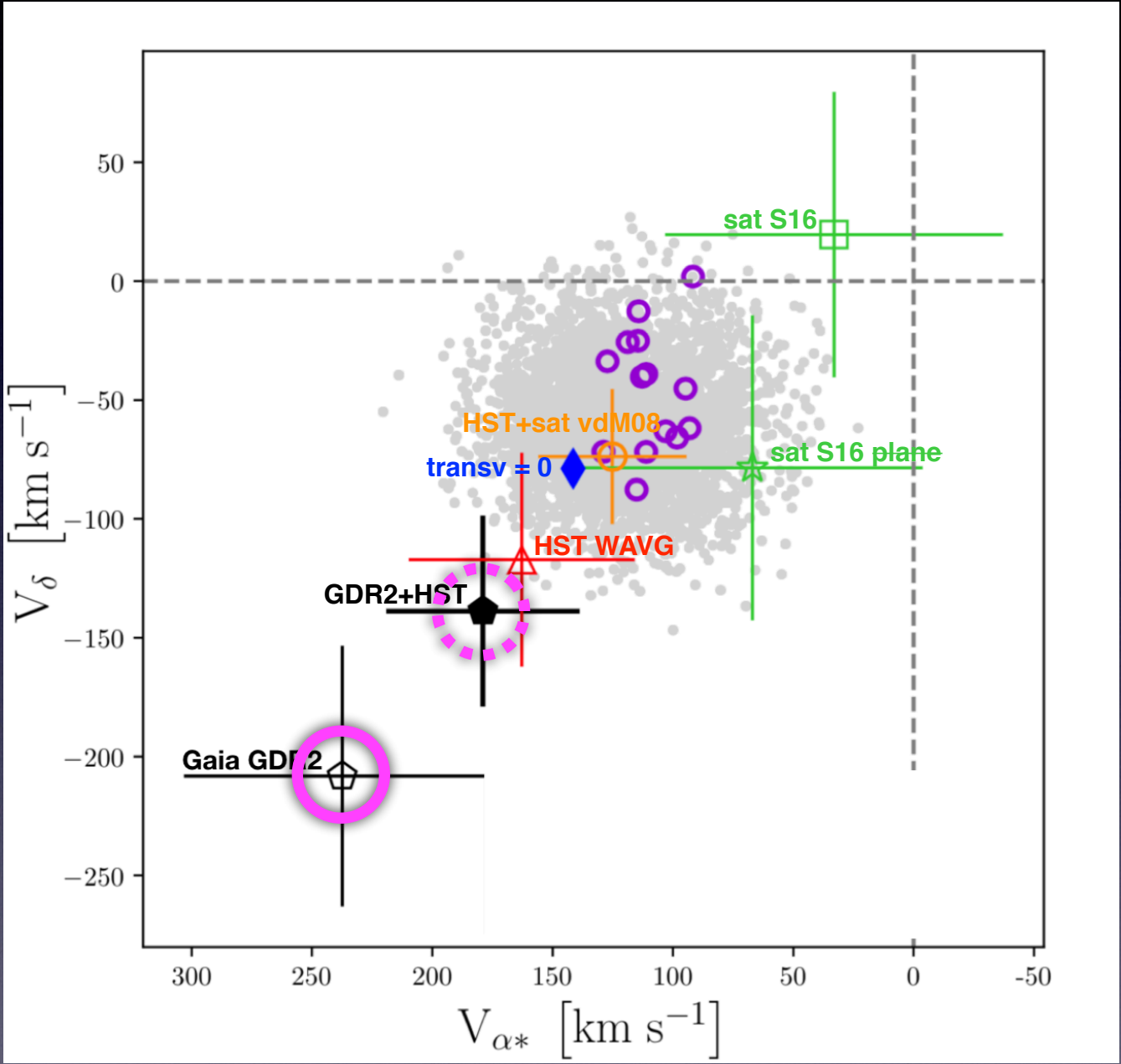


Sohn et al. (2012)

- 3 measurements:
- disk field
 - bulge field
 - stream field

2nd observational estimation

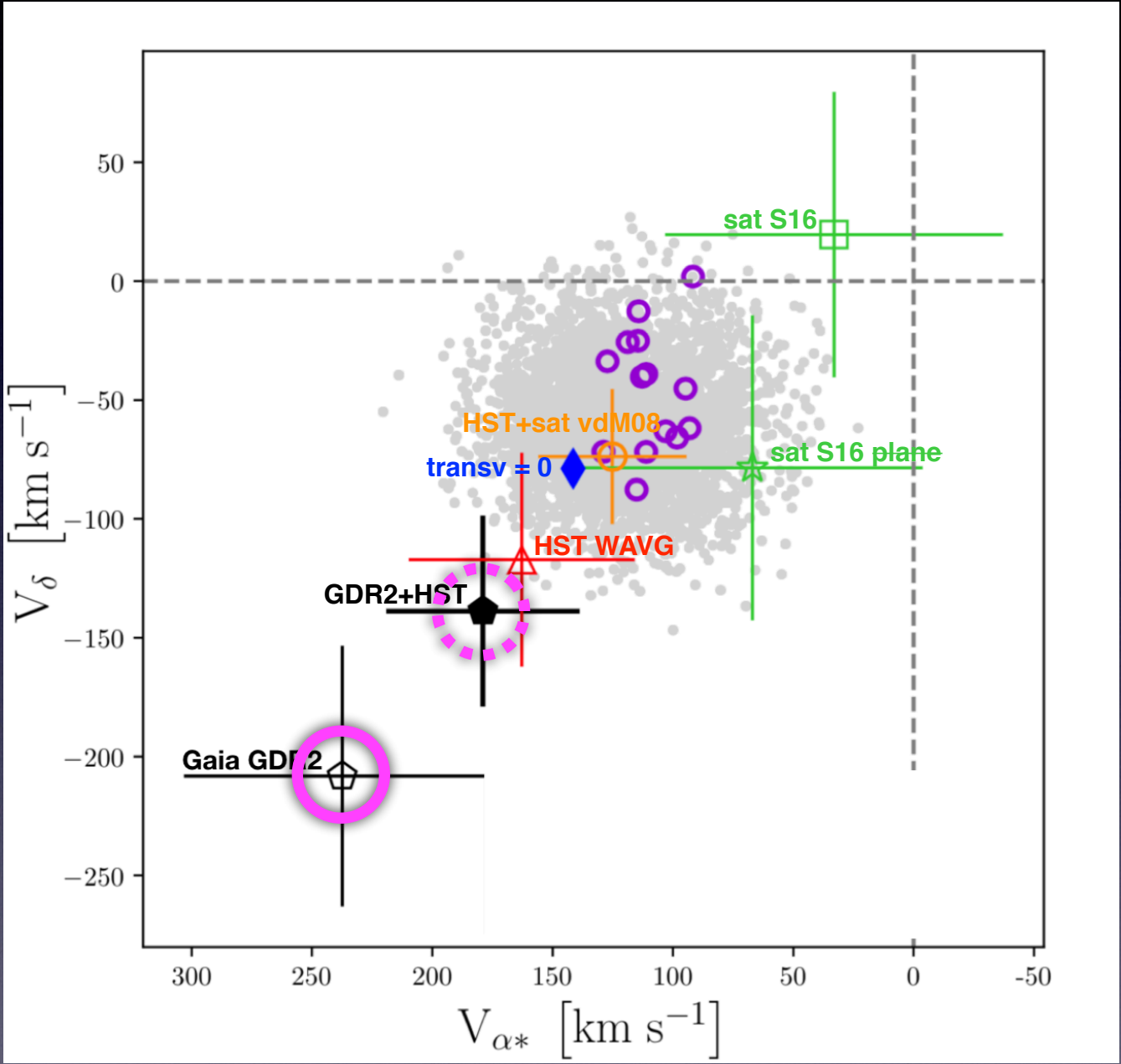
Heliocentric M31 transverse velocity



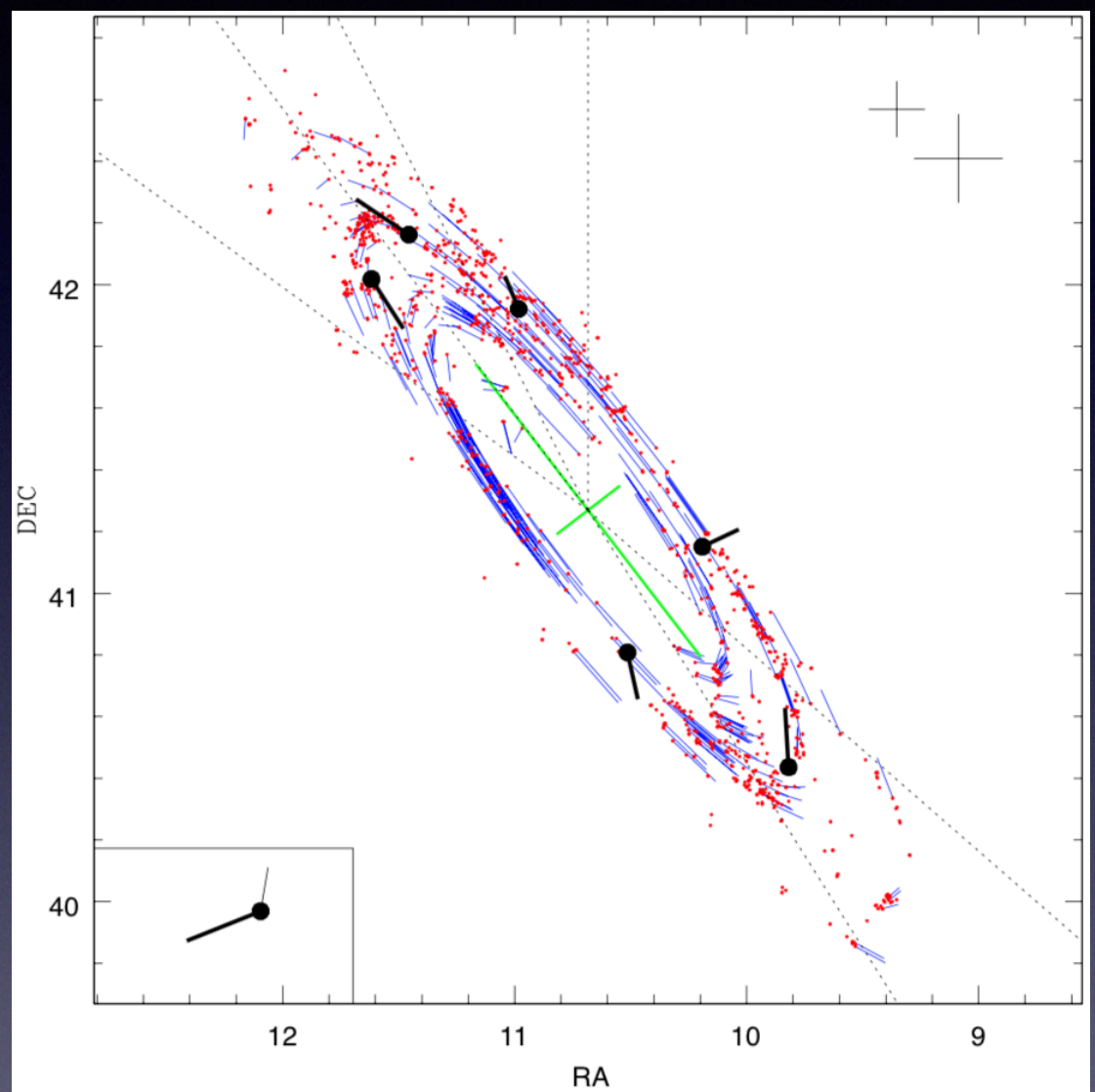
adapted from van der Marel et al. (2019)

2nd observational estimation

Heliocentric M31 transverse velocity



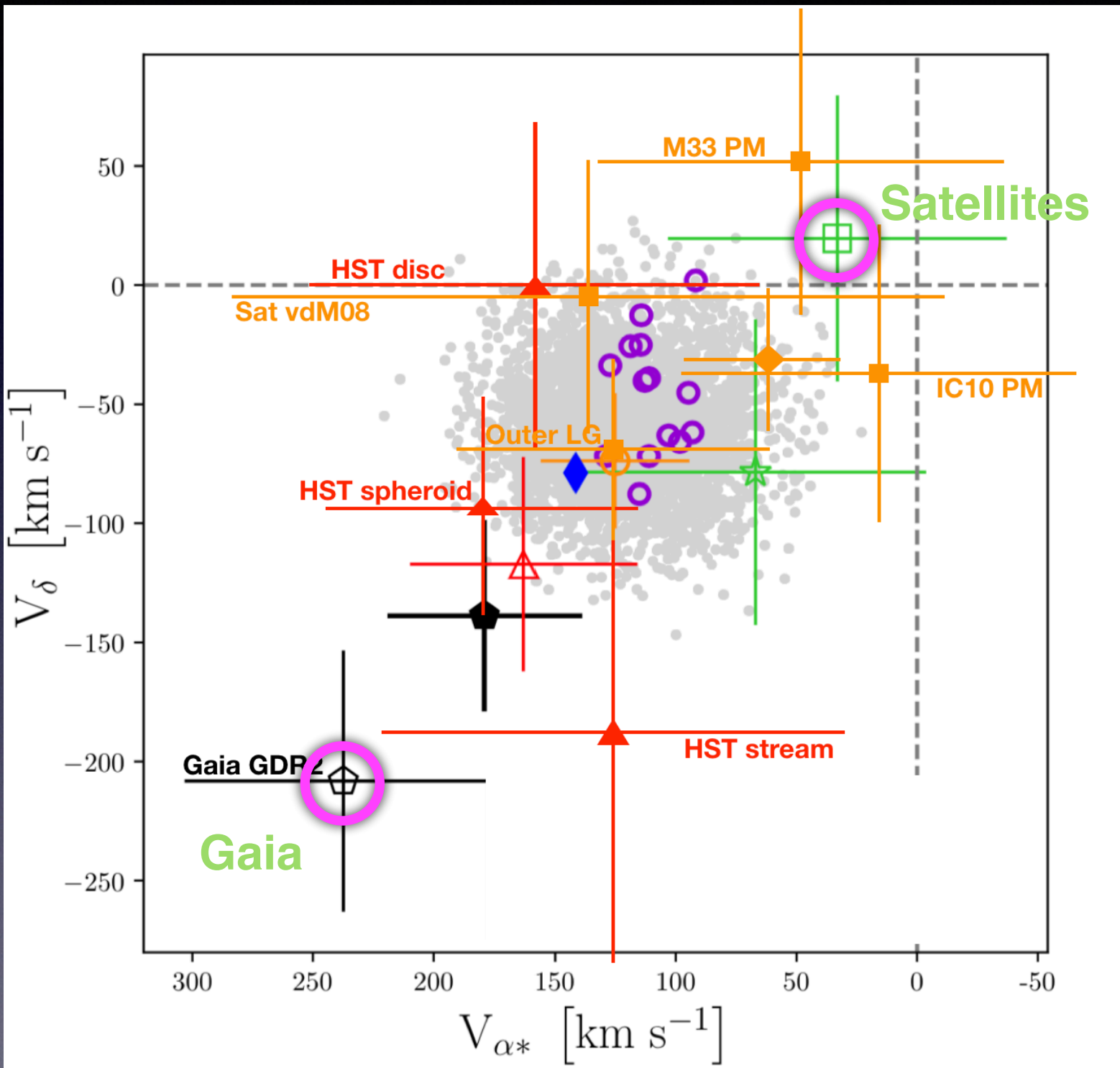
adapted from van der Marel et al. (2019)



van der Marel et al. (2019)

1084 sources

M31 proper motion



$\sim -75 \text{ km/s} < V_{\text{East}} < \sim 300 \text{ km/s}$
 $\sim -290 \text{ km/s} < V_{\text{North}} < \sim 120 \text{ km/s}$
 !!!
 $V_{\text{East}} = 113 \pm 187 \text{ km/s}$
 $V_{\text{North}} = -85 \pm 205 \text{ km/s}$

M31 proper motion

Present time



M31 proper motion

Present time



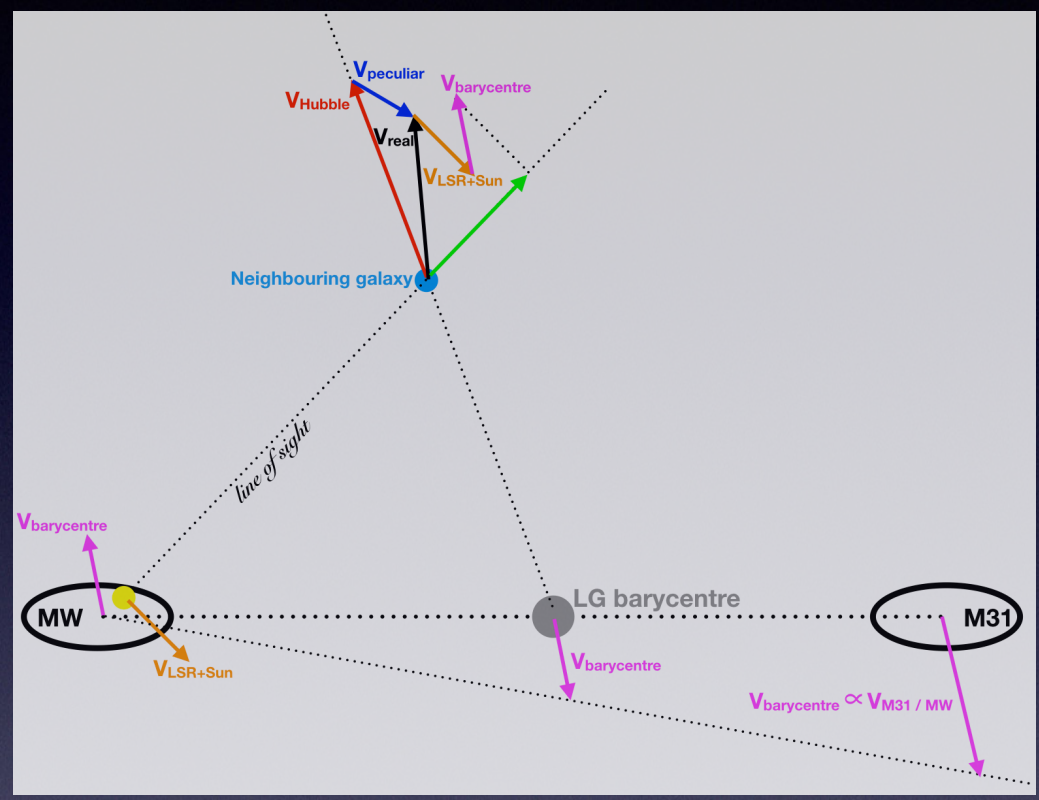
In 6 billion years

OR

OR



Validation



- MOCK data:
- 30 galaxies uniformly distributed in space from 0,5 to 3 Mpc (d_{gal})
 - $V = V_H + V_{peculiar}$ with
 - $V_H = d \times 73$ (barycentre direction)
 - $V_{peculiar} = 100 \pm 100$ km/s (random 3D)
 - 100 of such sample
 - observed from a Sun-like position
 - $(R, z, v_x, v_y, v_z, D_{LG}, v_{xM31}, v_{yM31}, v_{zM31}) = (8, 20, 11, 233, 7, 430, 300, 30, 20)$

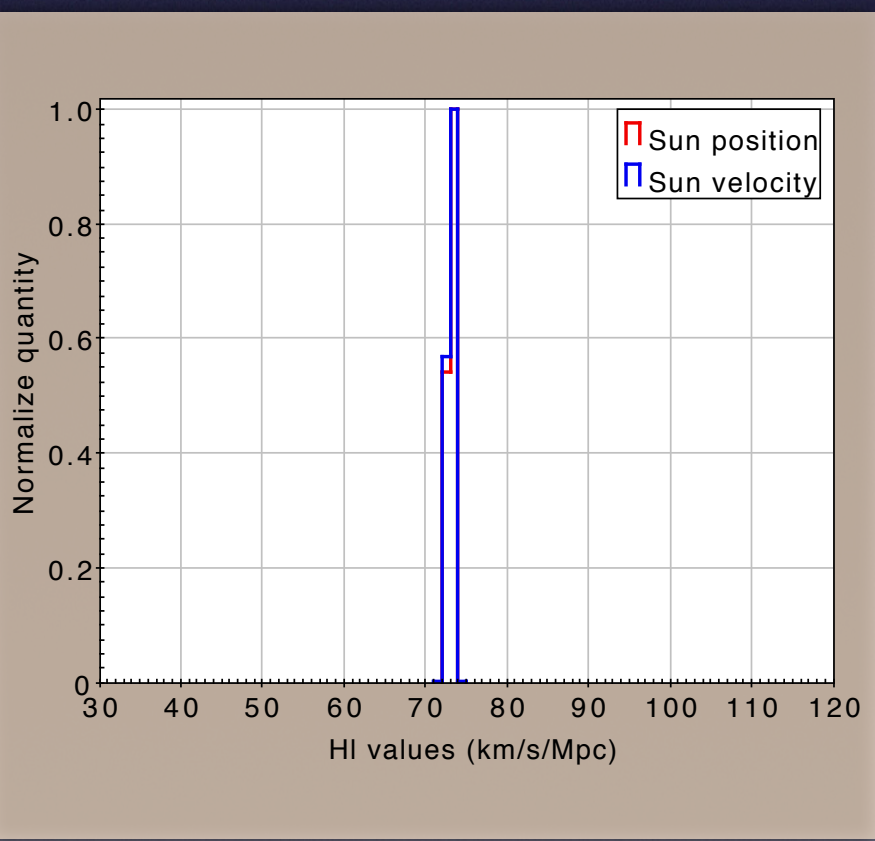
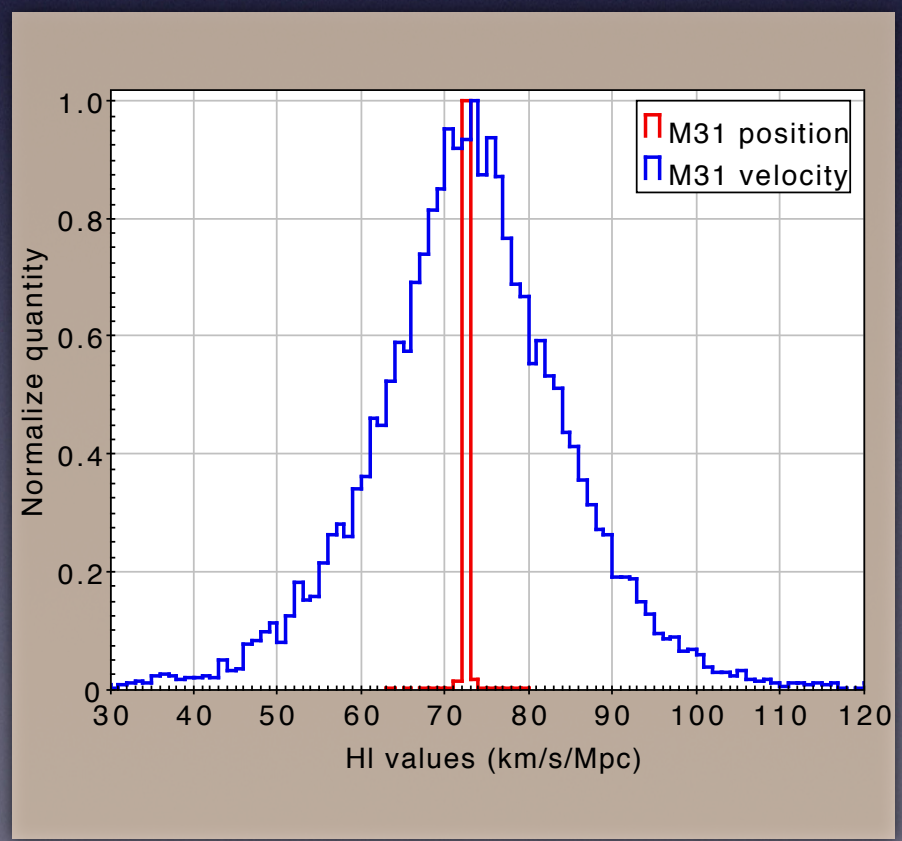
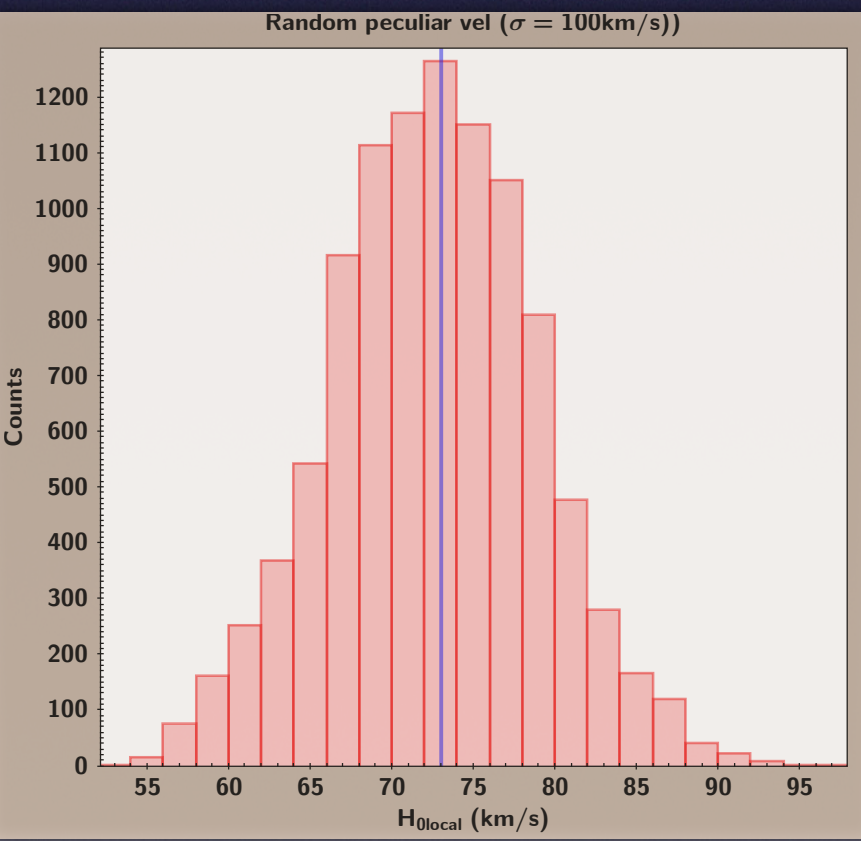
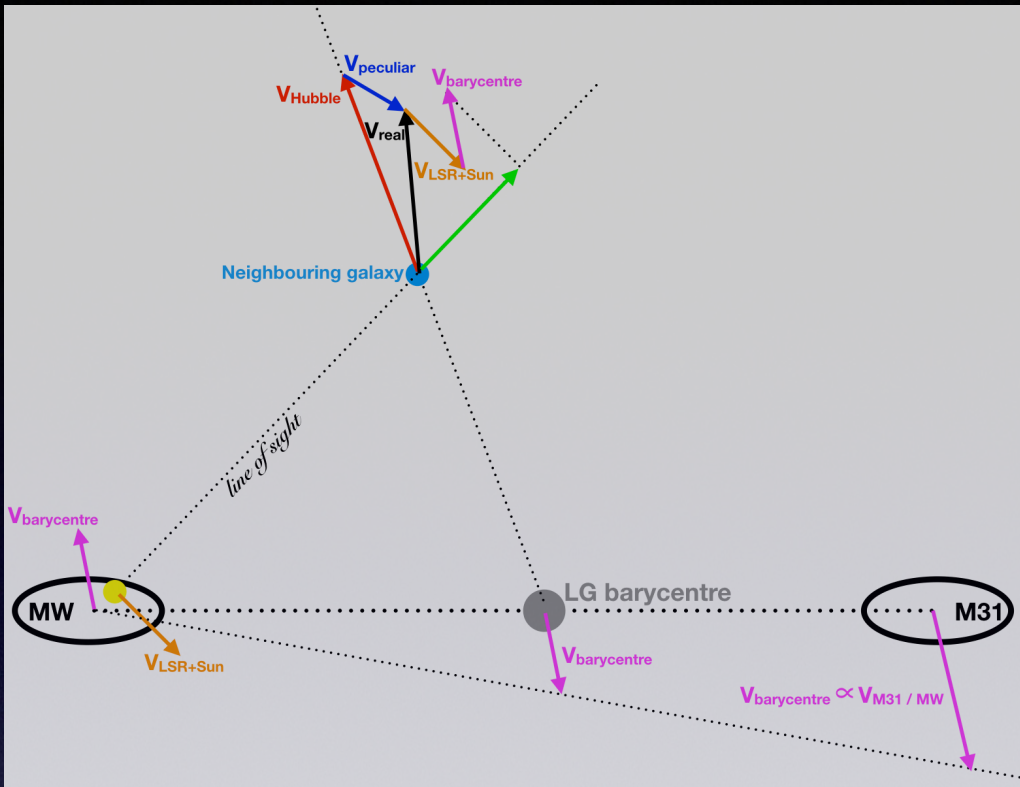


Guillaume Chaverot

Validation

Monte Carlo method:

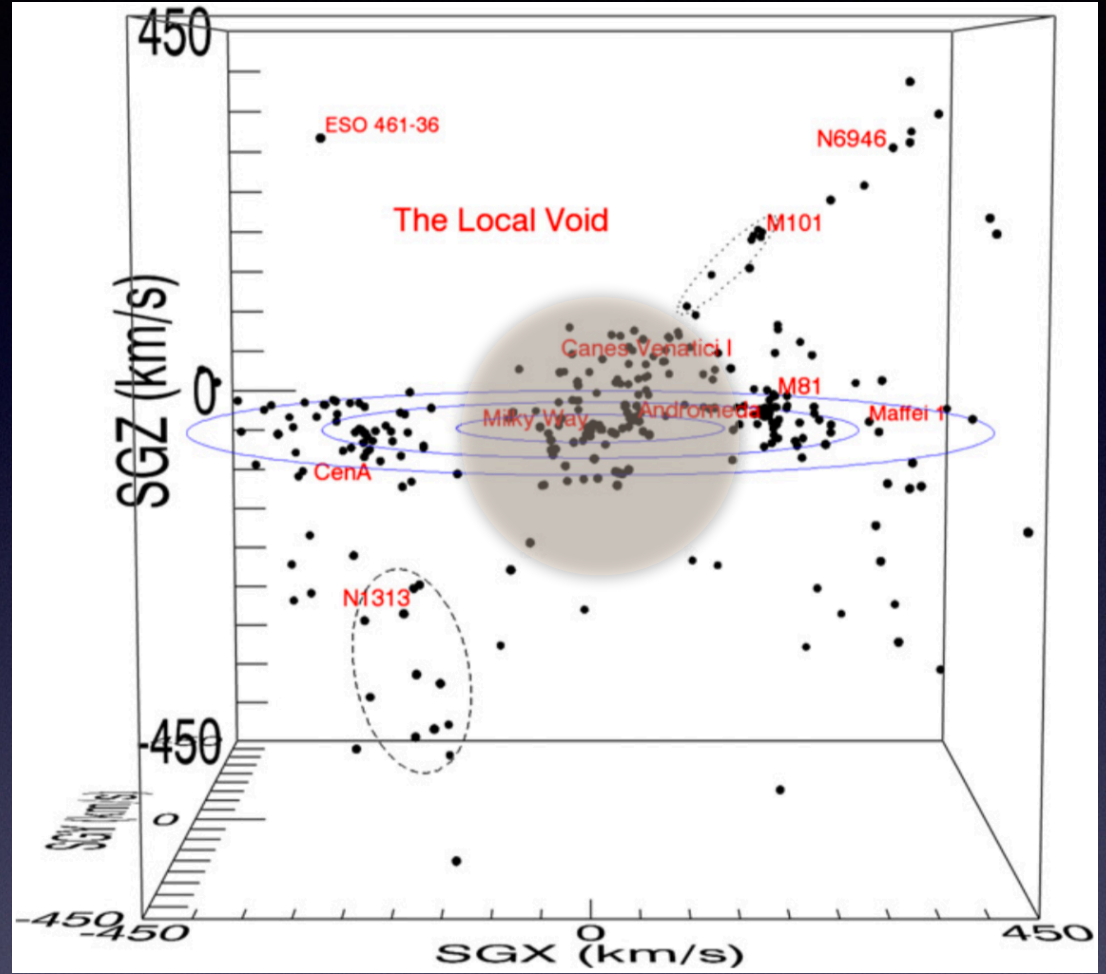
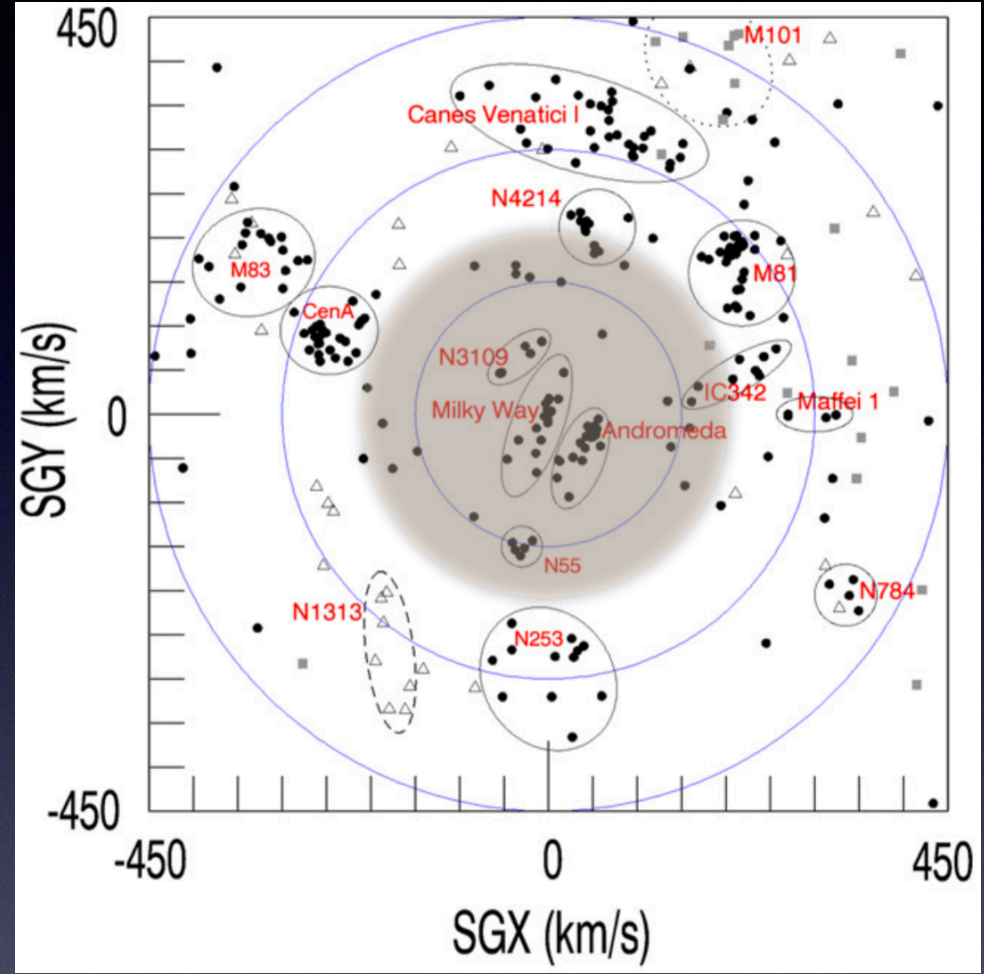
- for one “simulated local volume”, drawing of one set of parameters in the uncertainties range
- one distance per galaxy in distance uncertainty
- repeat 10000 times
- linear fitting to get the Hubble parameters



Guillaume Chaverot

Jean-Baptiste SALOMON

Sample



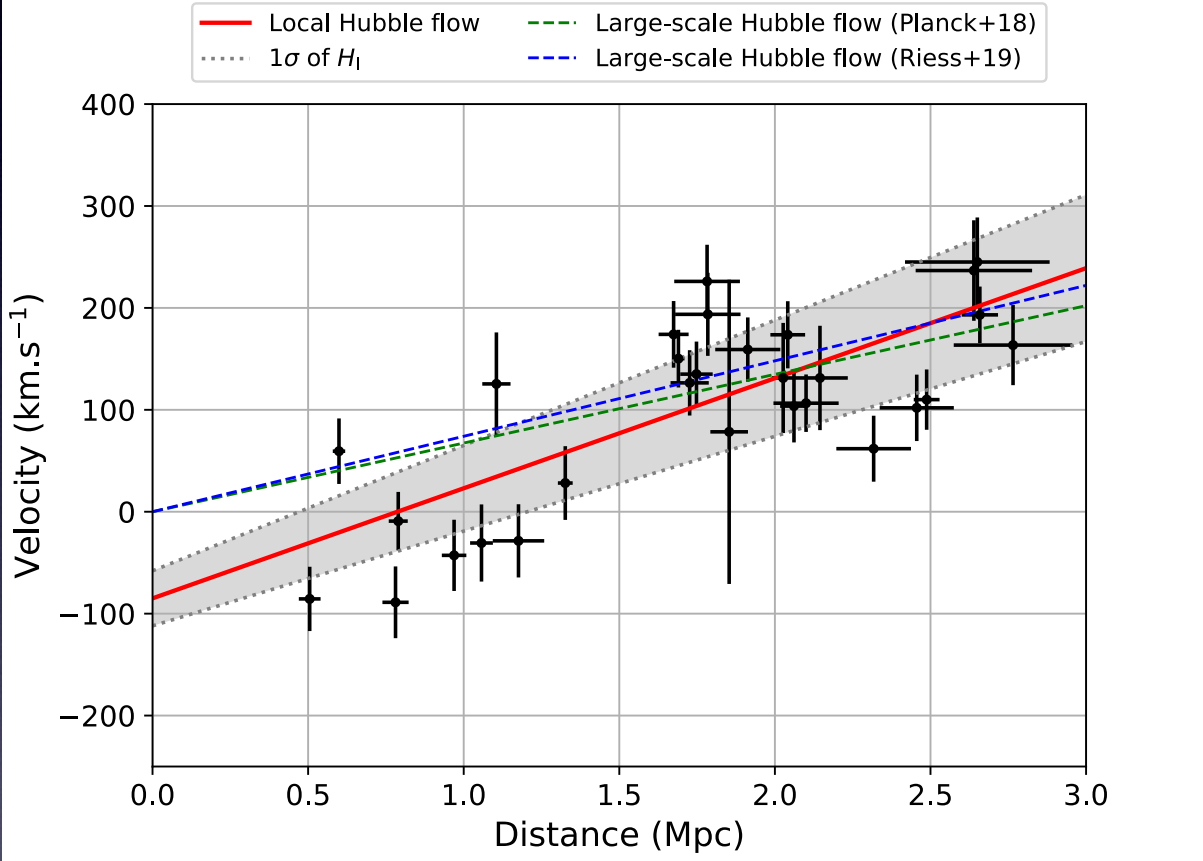
Courtois et al. (2013)

30 galaxies [0.5 - 3 Mpc] considered as not belonging to the MW or to the M31 system

McConnachie et al. (2012)

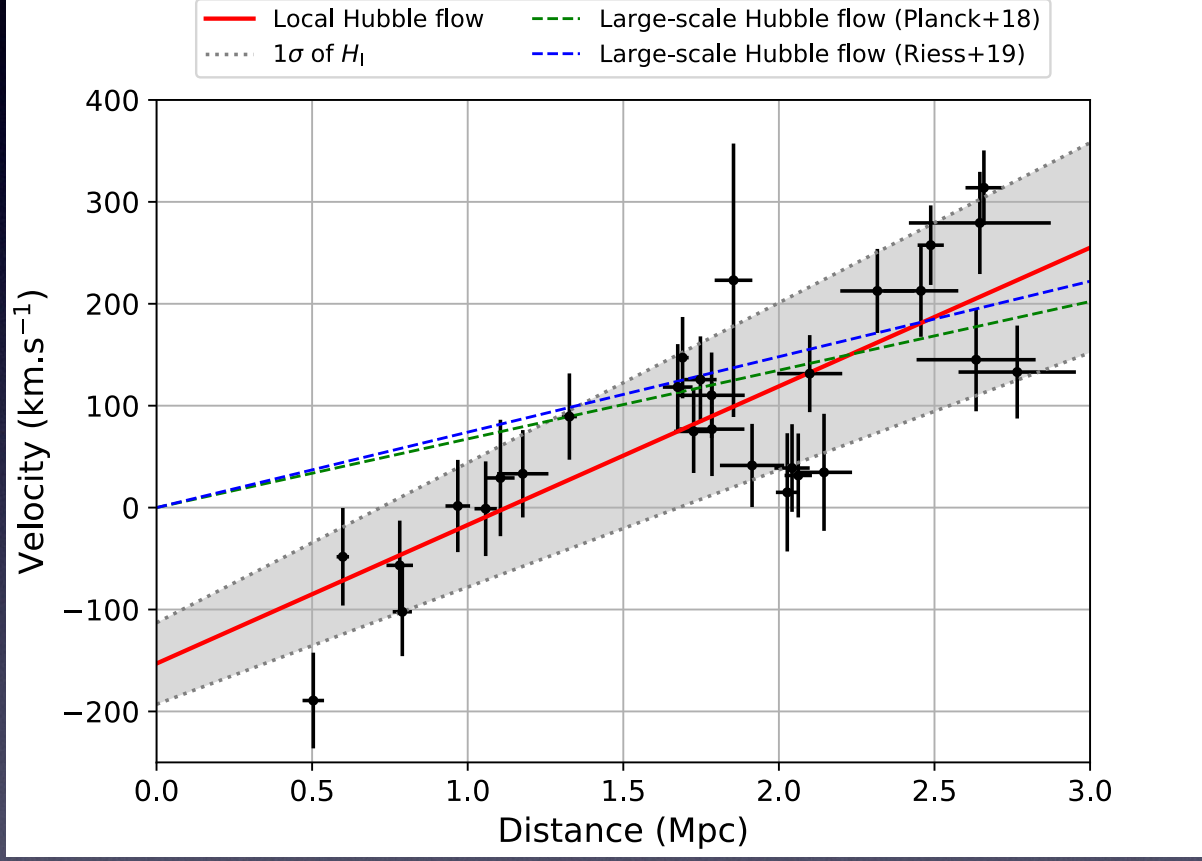
Impact of M31 proper motion

Satellites



$H_L = 108 \pm 15 \text{ km/s/Mpc}$
 $R \sim 780 \text{ kpc}$
 $(V = -85 \pm 27 \text{ km/s})$

Gaia



$H_L = 136 \pm 21 \text{ km/s/Mpc}$
 $R \sim 1120 \text{ kpc}$
 $(V = -153 \pm 40 \text{ km/s})$

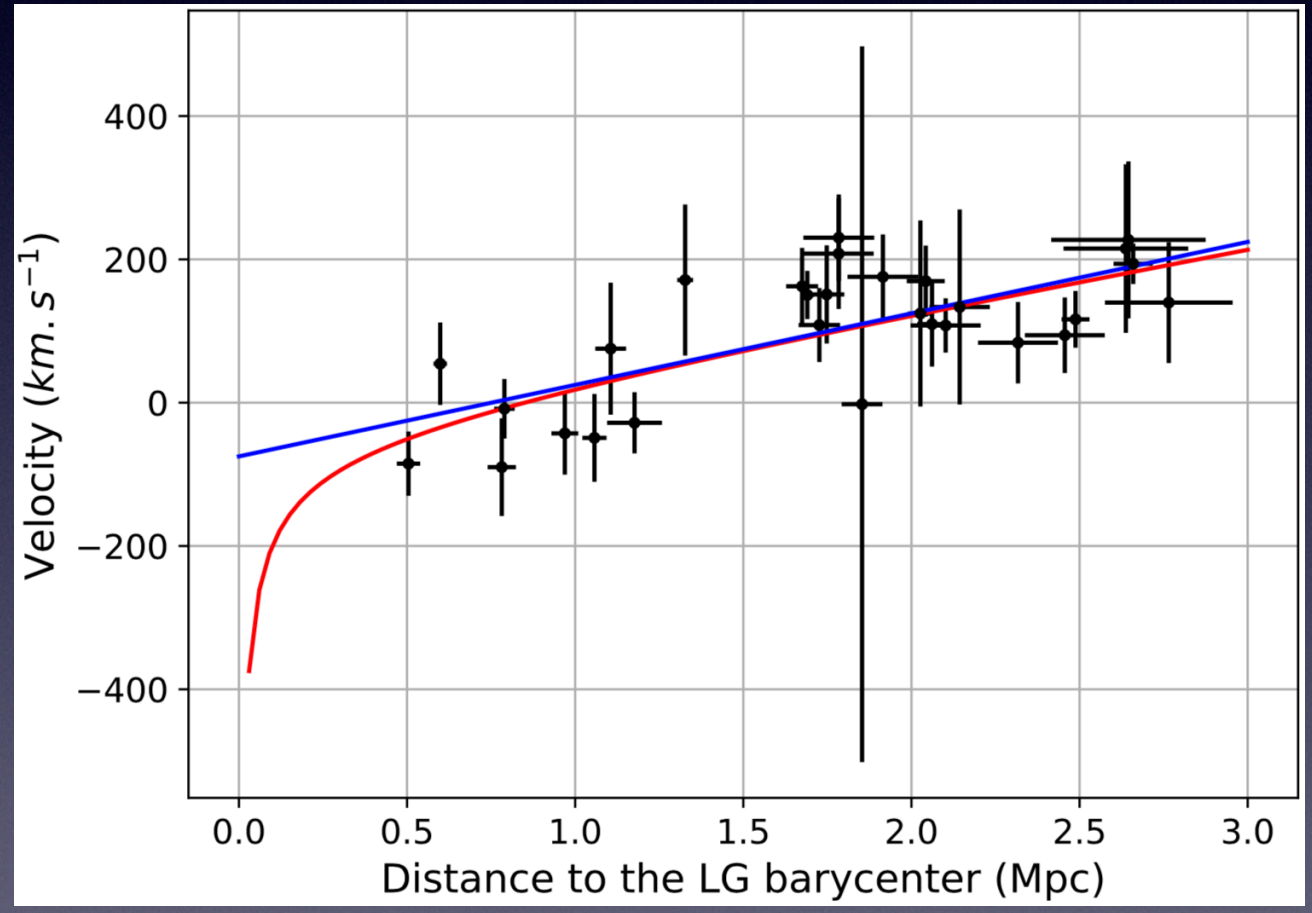
Mass

Peirani & Freitas Pacheco et al. (2008)

Canonical Lemaître Tolman model
with $n = 0.627$

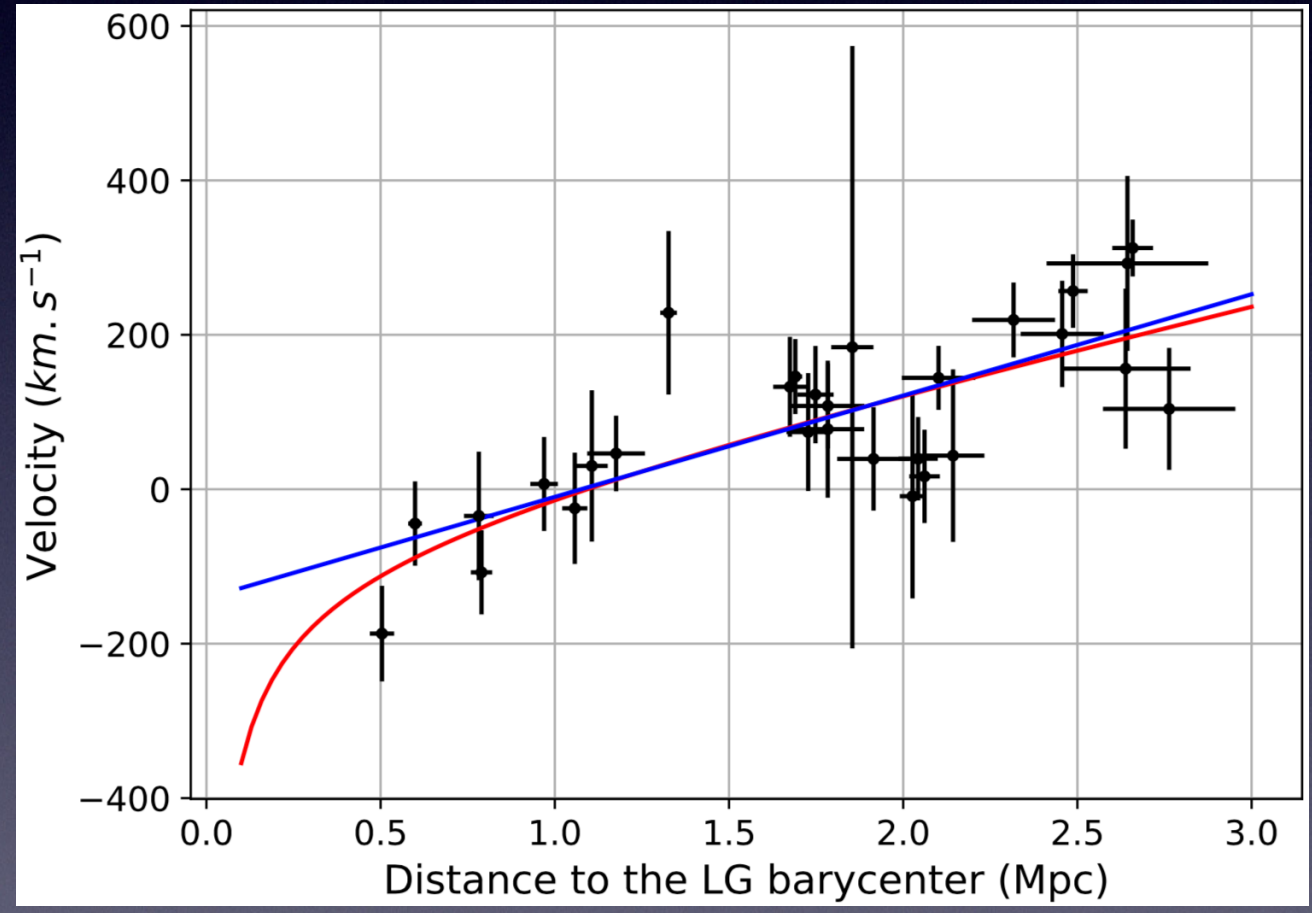
$$v(R) = -1.038 \left(\frac{GM}{R} \right)^{1/2} + 1.196 H_0 R$$

Satellites



$H_L = 70.0 \pm 16.0 \text{ km/s/Mpc}$
 $R \sim 810 \text{ kpc}$
 $9.3 \pm 6.6 \times 10^{11} M_{\text{Sun}}$

Gaia



$H_L = 84.4 \pm 15.0 \text{ km/s/Mpc}$
 $R \sim 1120 \text{ kpc}$
 $2.9 \pm 1.7 \times 10^{12} M_{\text{Sun}}$

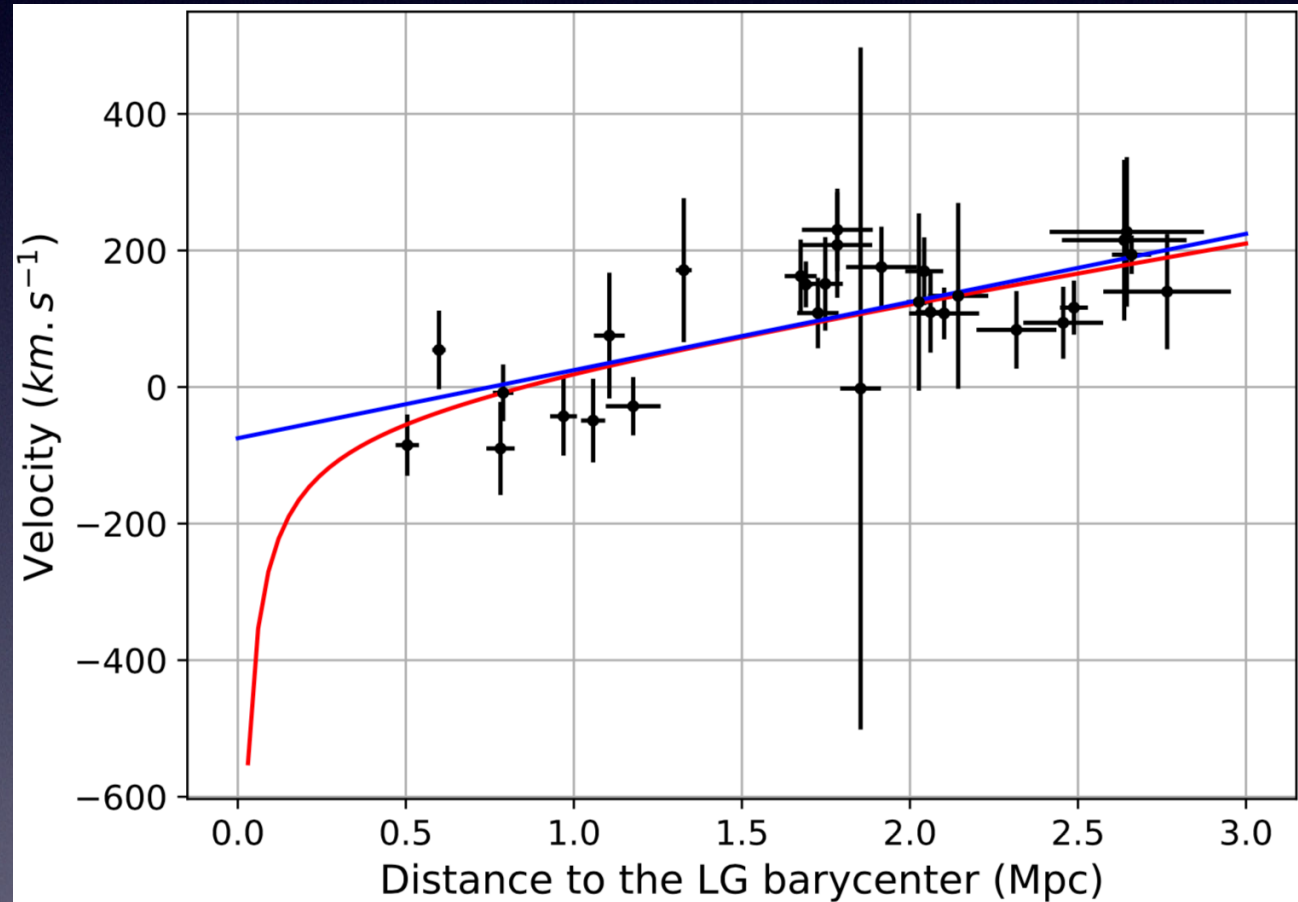
Mass

Peirani & Freitas Pacheco et al. (2008)

Modified Lemaître Tolman model
with $n = 0.627$

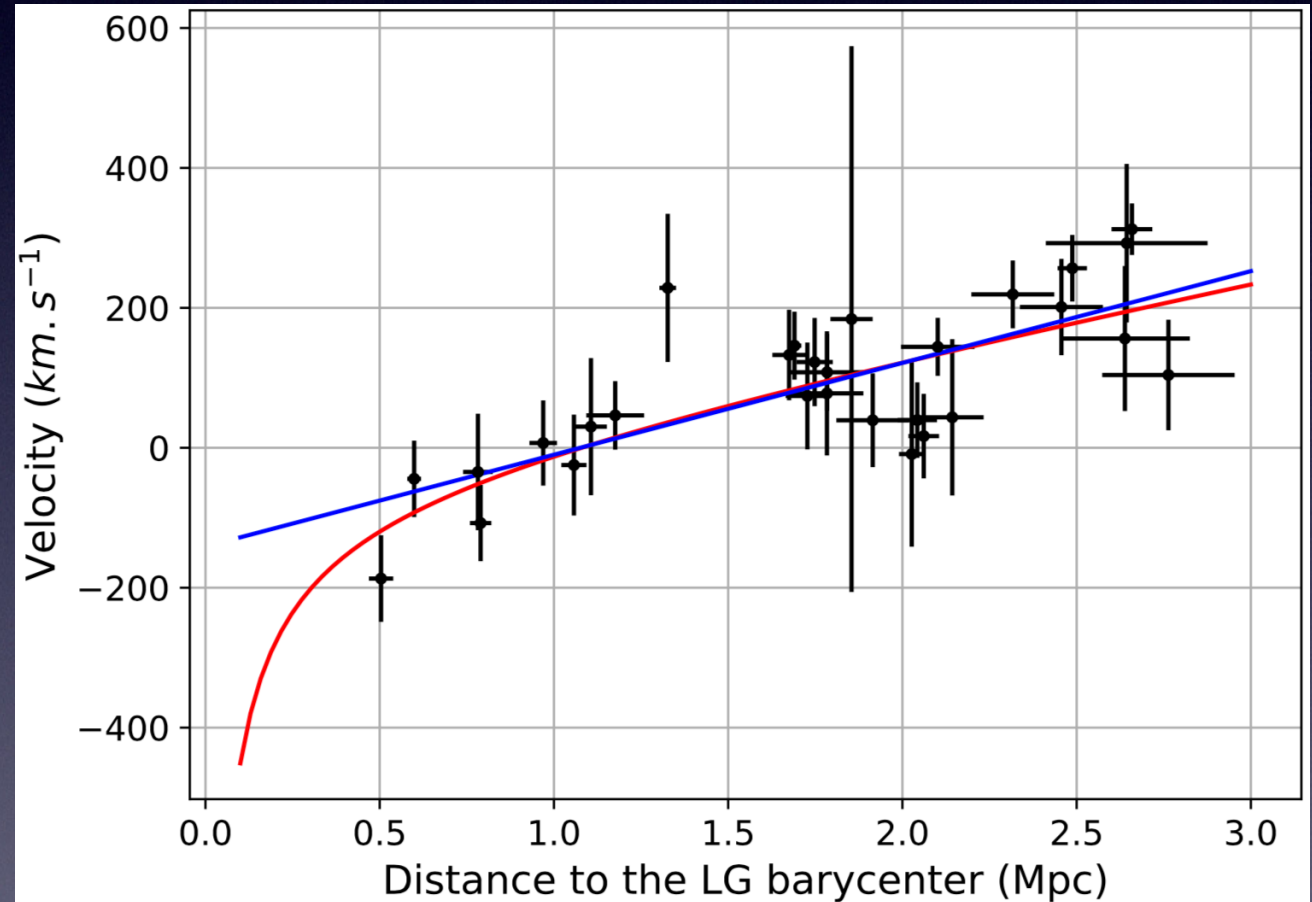
$$v(R) = -\frac{0.976H_0}{R^n} \left(\frac{GM}{H_0^2}\right)^{(n+1)/3} + 1.377H_0R$$

Satellites



$H_L = 58.4 \pm 14.4 \text{ km/s/Mpc}$
 $R \sim 810 \text{ kpc}$
 $9.2 \pm 6.3 \times 10^{11} M_{\text{Sun}}$

Gaia



$H_L = 69.7 \pm 12.4 \text{ km/s/Mpc}$
 $R \sim 1120 \text{ kpc}$
 $2.7 \pm 1.5 \times 10^{12} M_{\text{Sun}}$

Conclusion

- **M31 proper motion is more than inaccurate for now**
 - > almost 400 km/s of uncertainties along the 2 directions
- **It indeed has a strong impact in the LG frame**
 - > [10 - 15] km/s/Mpc on the local Hubble flow
 - > factor 3 in mass

Conclusion

- **M31 proper motion is more than inaccurate for now**
 - > almost 400 km/s of uncertainties along the 2 directions
- **It indeed has a strong impact in the LG frame**
 - > [10 - 15] km/s/Mpc on the local Hubble flow
 - > factor 3 in mass

Ideas or Collaborations are welcome :-)

data,
method,
fit of the mass,
discussions...

thank you

Annexe 1

- MCMC :

 - v_{M31x_k}
 - v_{M31y_k}
 - v_{M31z_k}

k + 1

$$\vec{v}_{Sat_i_{MCMC}} = \vec{v}_{M31_k} + \vec{v}_{LSR} + \vec{v}_{pec\odot}$$

Projection on the line of sight i

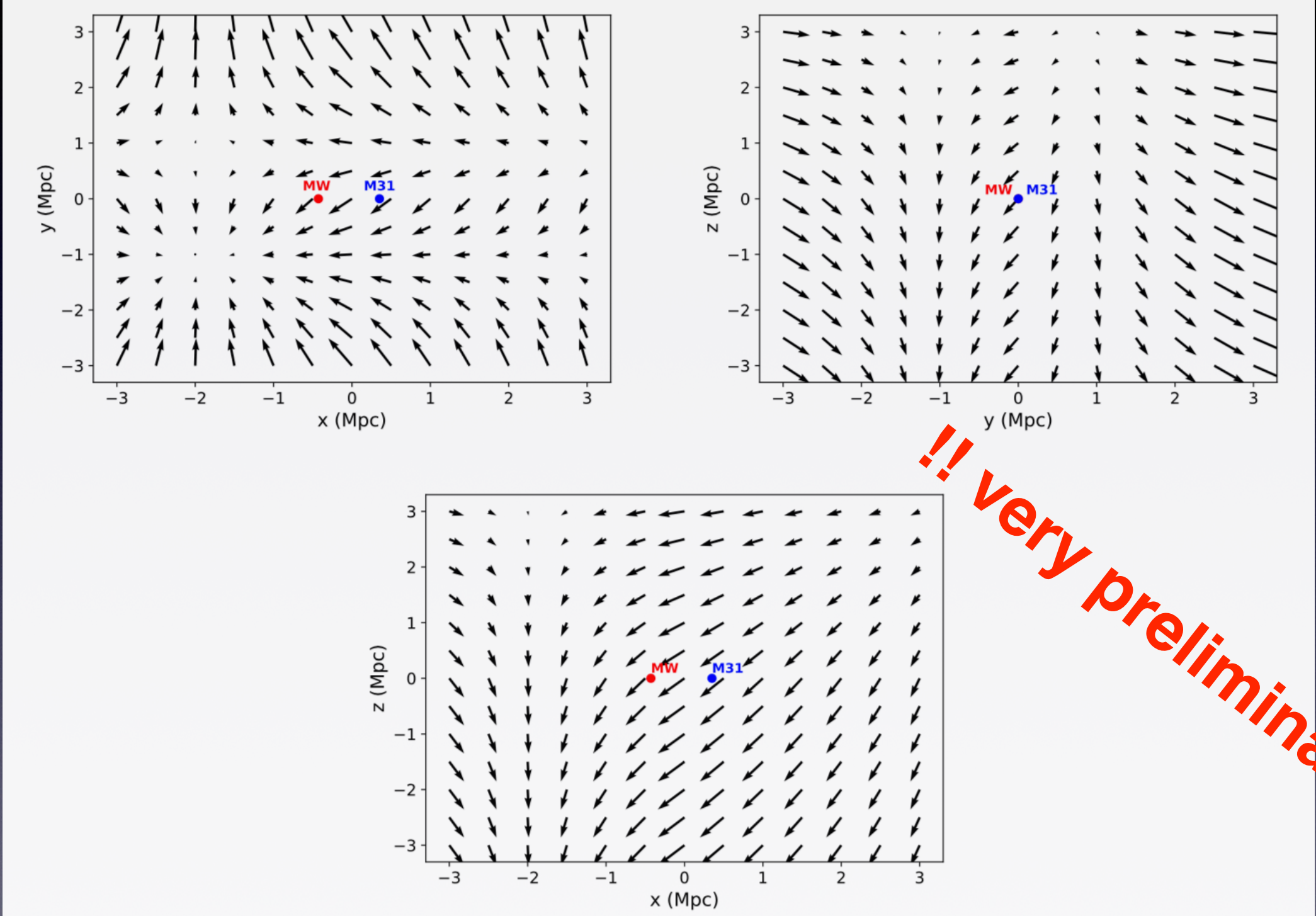
Distance d_{i_k} $\xrightarrow{r_{i_k}, V_{200}, R_{200}, c}$ σ_{i_k} $(\vec{v}_{pec_{Sat_{i_k}}})$

$$\vec{v}_{Sat_{i_{obs}}}$$

Calculation of the likelihood :

$$\ln \mathcal{L} = \sum_{i=1}^{n_{sat}} \left[-\ln(\sigma_{i_k} \sqrt{2\pi}) - \frac{1}{2} \left(\frac{v_{Sat_{i_{MCMC}}} - v_{Sat_{i_{obs}}}}{\sigma_{i_k}} \right)^2 \right]$$

Annexe 2



!! very preliminary !!